

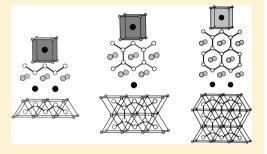


# Ternary Borides Cr<sub>2</sub>AlB<sub>2</sub>, Cr<sub>3</sub>AlB<sub>4</sub>, and Cr<sub>4</sub>AlB<sub>6</sub>: The First Members of the Series $(CrB_2)_n CrAl$ with n = 1, 2, 3 and a Unifying Concept for **Ternary Borides as MAB-Phases**

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Supporting Information

ABSTRACT: Single crystals of the ternary borides Cr<sub>2</sub>AlB<sub>2</sub>, Cr<sub>3</sub>AlB<sub>4</sub>, Cr<sub>4</sub>AlB<sub>6</sub>, MoAlB, WAlB, Mn2AlB2, and Fe2AlB2 were grown from the elements with an excess of Al. Structures were refined by X-ray methods on the basis of single crystal data. All compounds crystallize in orthorhombic space groups. In each case boron atoms show the typical trigonal prisms BM<sub>6</sub>. The BM<sub>6</sub>-units are linked by common rectangular faces forming B-B-bonds. Thus, zigzag chains of boron atoms are obtained for MoAlB, WAlB, and M2AlB2 (M = Cr, Mn, Fe); chains of hexagons for Cr<sub>3</sub>AlB<sub>4</sub>; and double chains of hexagons for Cr<sub>4</sub>AlB<sub>6</sub>. The same subunits are known for the binary borides CrB, Cr<sub>3</sub>B<sub>4</sub>,  $Cr_2B_3$ , and  $\beta$ -WB, too. The boride partial structures are separated by single layers of Al-atoms in the case of the chromium compounds and double layers



for WAIB, i.e., W2Al2B2. All crystal structures can be described using a unified building set principle with quadratic 44-nets of metal atoms. The different compositions and crystal structures are obtained by different numbers of metal layers in the corresponding parts according to the formula (MB)<sub>2</sub>Al<sub>v</sub>(MB<sub>2</sub>)<sub>x</sub>. This principle is an extension of a scheme which was developed for the boridecarbides of niobium. Furthermore, there is a close similarity to the group of ternary carbides MAl(MC),, so-called MAX-phases. Therefore, they might be named as "MAB-phases". The pronounced two-dimensionality and the mixture of strong covalent and metallic interactions make MAB-phases to promising candidates for interesting material properties. All compositions were confirmed by EDX measurements. Additionally, microhardness measurements were performed.

# **■ INTRODUCTION**

Borides and carbides of the "early" transition metals (i.e., groups 4, 5, and 6) are among the hardest and highest melting compounds. 1-3 These properties have been used for bulk materials or coatings for many purposes for a long time. Recent developments are ruled by two directions. First, binary borides of 5d-metals like ReB2 and OsB2 were found to have a remarkably high hardness and/or low compressibility. <sup>4</sup> This is explained by a strong covalent bonding between boron atoms (hardness) and a strong repulsion between the core electrons of the 5d metal (compressibility). Second, so-called "MAX-phases", i.e., ternary carbides and nitrides with the general formula  $M_{n+1}AX_n$  (M = Ti, Zr, Hf, V, Nb, Ta, Cr; A = Al, Ga, In, Si, Ge, Sn; X = C, N; n = 1, 2, 3) were found to be unique ceramic materials because they have high thermal, chemical, and mechanical stability in combination with "reversible" plasticity, damage tolerance, and easy machinability.<sup>5</sup> This is explained by the layered structure consisting of a hard carbide or nitride part (MX), with variable thickness and a ductile intermetallic part MA.5 The structures of binary transition metal carbides are usually based on a cubic closest packing of metal atoms with carbon in octahedral voids.<sup>2,6</sup> Frequently, the octahedral sites are partially occupied with less or more pronounced ordering. According to the underlying cubic

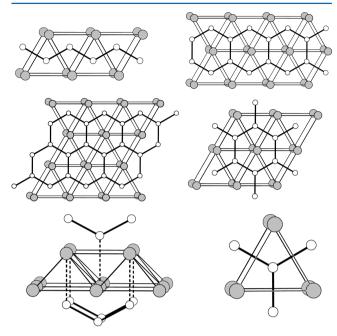
closest packing the structures are isotropic leading to isotropic material properties for the binary carbides. The pronounced anisotropy of MAX-phases results from the additional intermetallic part. Fundamental differences occur for the transition metal borides. Usually, the structures of borides are based on trigonal prisms BM<sub>6</sub>. 6-8 Direct B-B bonds are formed by linkage of common rectangular faces. The further connection is realized by sharing the trigonal basal planes. Therefore, structures and properties of binary borides show high anisotropy. With lower boron content, i.e., M:B > 1, the trigonal prisms BM<sub>6</sub> are isolated (for example, Fe<sub>3</sub>B, Co<sub>3</sub>B, Ni<sub>3</sub>B, Re<sub>3</sub>B<sup>6</sup>). With increasing boron content, dimers  $(Mo_2FeB_2)^9$   $W_2CoB_2^{10}$ ), trimers  $(W_3CoB_3)^{11}$  tetramers  $(Mo_2IrB_2)^{12}$   $Cr_2IrB_2)^{13}$   $Ti_{1+x}Os_{2-x}RuB_2^{14}$ ), pentamers  $(Ni_{12}AlB_8)^{15}$  and hexamers  $(Ti_7Rh_4Ir_2B_8)^{16}$  are formed, which can be described as fragments of zigzag chains (B3, B4, B5) or layers (B4, B6). The high variability results in the existence of many different structure types. With a ratio of 1:1, linear zigzag chains are the dominant feature. The different structure types of monoborides come from the orientation of the chains (CrB-type, parallel and congruent, <sup>17</sup> FeB-type, parallel and fish-bone like,

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tetragonal MoB-type ( $\beta$ -MoB) orthogonal<sup>19</sup>), but the motif is still the same. For the binary borides the "transition" between monoborides and diborides with graphite-like layers of hexagons (AlB<sub>2</sub>-type) is quite simple (Figure 1). It can be described as a



**Figure 1.** Structures of binary borides: CrB (top, left),  $Cr_3B_4$  (top, right),  $Cr_2B_3$  (middle, left),  $CrB_2$  (middle, right), and the surrounding of boron in CrB (bottom, left) and  $CrB_2$  (bottom, right).

condensation of the chains to double chains  $(M_3B_4)$ , triple chains  $(M_2B_3)$ , or a combination of single and double chains  $(M_5B_6)$ . Further variations of diborides are corrugated layers  $(WB_2)^{20}$  ReB<sub>2</sub>, and the combination of other polygons beyond hexagons (5- and 7- membered rings in YCrB<sub>4</sub>; 5-, 6-, and 7-membered rings in Y<sub>2</sub>ReB<sub>6</sub><sup>23</sup>).

Surprisingly, the complexity in ternary borides with motifs of the boride substructure between monoborides (chains) and diborides (layers) is limited. Parallel single zigzag chains are found for MoAlB<sup>24</sup> and M<sub>2</sub>AlB<sub>2</sub> (M = Cr, <sup>25</sup> Mn, <sup>26</sup> Fe<sup>27</sup>), and orthogonal chains in Ru<sub>2</sub>ZnB<sub>2</sub>. <sup>28</sup> Parallel double chains (i.e., chains of hexagons) are found in Cr<sub>3</sub>AlB<sub>4</sub> as the only example.

The material properties of structurally two-dimensional compounds are of high interest as they may act as nanolaminated systems with special crack behavior. In a recent paper, Telle et al.<sup>29</sup> have shown that  $W_2B_5$  (or  $W_2B_4^{\ 20}$ ) exhibits a remarkable similarity to the MAX-phases concerning the mechanical properties (deformation processes, nanodelamination, crack deflection, etc.).

Very recent interest in "MAB-phases" comes from the observation that  $Fe_2AlB_2$  shows a magnetic phase transition around 304 K, making it a prospective magnetocaloric material.

In the course of our investigations on the synthetic potential of liquid metals and alloys for synthesis and crystal growth of ternary carbides<sup>32</sup> and borides<sup>33</sup> of transition metals, we have investigated the formation of group 6 borides from liquid aluminum. The focus was on single crystal syntheses for two reasons. While powder data are very suitable for the characterization of the products, single crystal data are essential for the reliable determination of B–B distances because of the low electron number of boron in comparison to the transition metals.

Furthermore, the pronounced anisotropy of the crystal structure asks accordingly for the measurement of the microhardness. Using Al as a flux enabled the growth of single crystals. Detailed investigations on single crystals of M/Al/B phases and the characterization of the new compound  $Cr_4AlB_6$  motivated us to a systematic description of these "MAB-phases". Furthermore, we decided to (re)investigate all representatives of "MAB-phases" known in the literature by means of X-ray single crystal diffraction.

#### EXPERIMENTAL SECTION

**Synthesis and Characterization.** Single crystals of ternary borides  $Cr_xAlB_y$ , MoAlB, WAlB,  $Mn_2AlB_2$ , and  $Fe_2AlB_2$  were grown from liquid Al by reaction of the elements. Syntheses were done in corundum crucibles under an atmosphere of argon. Sample sizes were about 3 g of aluminum. Single crystals were isolated from the solidified melt by dissolving the excess of Al in diluted HCl (2 mol/L) with the exception of  $Mn_2AlB_2$  and  $Fe_2AlB_2$ . For  $Mn_2AlB_2$  which is less stable against acids a solution of diethyl ether saturated with gaseous hydrogen chloride was used to dissolve the Al-matrix as proposed by Becher et al. <sup>26</sup> For  $Fe_2AlB_2$  which is known to solidify in equilibrium with  $AlB_2$  and  $Fe_3Al_{14}$  ("FeAl $_3$ ") or  $Fe_2Al_{5}$ , <sup>34</sup> single crystals of the ternary boride have been isolated mechanically by crushing the sample.

For the synthesis of the ternary compounds  $Cr_2AlB_2$  and especially  $Cr_3AlB_4$  and  $Cr_4AlB_6$  slow cooling is essential. Okada et al. obtained the binary chromium borides from liquid  $Al^{35}$  with similar ratios of the elements in the same temperature regime, but with a cooling rate of 50 K/h

 $Cr_2AlB_2$ . Single crystals of  $Cr_2AlB_2$  are easily obtained from a ratio Cr:B:Al of 1:1:30 by cooling down the samples at 10 °C/h from 1500 to 800 °C. X-ray powder diffraction showed  $Cr_2AlB_2$  as main phase and CrB as a minor product (S1). Single crystals of  $Cr_2AlB_2$  crystallize as laths (Figure 2).

 $Cr_3AlB_4$ .  $Cr_3AlB_4$  was obtained from a ratio Cr:B:Al of 1:1.33:30. The educts were heated with 300 °C/h to 1000 °C, annealed for 72 h at 1000 °C, and then cooled with 50 °C increments to room temperature. The annealing step is essential, because  $Cr_3AlB_4$  decomposes above 1100 °C to the binary borides  $Cr_3B_4$  and  $Cr_2B_3$ . The X-ray powder diffraction diagram showed  $Cr_3AlB_4$  as the main product with very small amounts of  $Cr_3B_4$  (Supporting Information Figure S2). Crystals were obtained as laths similar to  $Cr_2AlB_2$ , but also thicker prisms have been observed (Figure 2). With increased boron amount (1:1.5:30)  $Cr_2B_3$  was found as a second phase.

 $Cr_4AlB_6$ .  $Cr_4AlB_6$  was obtained from a ratio Cr:B:Al of 1:1.55:30 with the same temperature conditions as those used for  $Cr_3AlB_4$ . Similar to the procedure for  $Cr_3AlB_4$ , the annealing step is essential. Single crystals were formed as laths (Figure 2). The powder XRD (Supporting Information Figure S3) showed  $Cr_3AlB_4$  as a byproduct. It should be mentioned that attempts to synthesize  $Cr_4AlB_6$  are not successful in all cases but can lead to other binary or ternary borides instead of  $Cr_4AlB_6$ .

*MoAlB.* Single crystals of MoAlB are obtained in the system Mo/Al/B (excess Al) over a quite extended range of compositions. Typical conditions are heating to 1500 °C, annealing for 24 h, and then cooling with 10 °C/h to 800 °C. The ratio Mo:B:Al was varied between 1:1:30 and 1:1:150. Well-developed single crystals with a length up to several millimeters were isolated (Figure 2). The X-ray powder diagram of crushed single crystals corresponded to the calculated pattern of MoAlB (Supporting Information Figure S4). Single crystals of orthorhombic MoB (α-MoB) were found as a byproduct. Because there are no current structural data<sup>6</sup> on the basis of single crystal data we carried out a refinement.

*WAlB.* A few single crystals of WAlB were obtained as byproducts from batches containing W, B, and Al in different amounts (W:B:Al between 1:1:30 and 1:1:150; W:B between 2:3 and 3:2). Slow cooling rates were essential to obtain WAlB (heating to 1550 °C, annealing for 24 h, cooling with 2 °C/h to 660 °C). According to investigations by powder and single crystal methods the main products were the intermetallics WAl $_{12}$ ,  $^{6,36}$  WAl $_{6}$ ,  $^{36}$  WAl $_{5}$ , and tetragonal WB ( $\beta$ -WB) $^{37}$ 

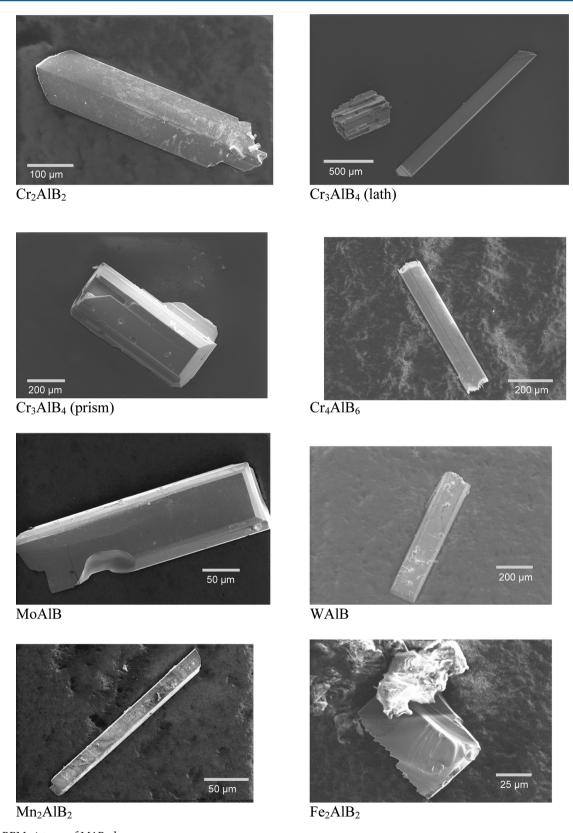


Figure 2. REM pictures of MAB-phases.

depending on the ratios chosen. Single crystals of the latter are formed in different shapes, but checks with XRD always revealed  $\beta$ -WB. Single crystals of WAlB were obtained as small coffin-like rods (Figure 2). X-ray powder diagrams from batches with significant amounts of WAlB were indexed and assigned according to the data obtained from single crystal investigations (Supporting Information Figure S5). Numerous

attempts for the synthesis of WAlB described by Okada et al.  $^{38}$  did not result in higher amounts. It should be mentioned that despite the close similarity of the binary phase diagrams Mo/B–W/B and Mo/Al–W/Al the tendency to form MoAlB and WAlB is different.

Mn<sub>2</sub>AlB<sub>2</sub>. Mn<sub>2</sub>AlB<sub>2</sub> could be synthesized from melts in the Mn/Al/B system with atomic ratios Mn:Al:B between 1:1:10 and 1:1:30 by

Table 1. Structure Refinement of Cr<sub>2</sub>AlB<sub>2</sub>, Cr<sub>3</sub>AlB<sub>4</sub>, Cr<sub>4</sub>AlB<sub>6</sub>, WAlB, MoAlB, Mn<sub>2</sub>AlB<sub>2</sub>, Fe<sub>2</sub>AlB<sub>2</sub>, and MoB

cryst shape	$Cr_2AlB_2$	Cr <sub>3</sub> AlB <sub>4</sub>	$Cr_4AlB_6$	MoAlB
, .	flat rod	flat rod	flat rod	coffin-like rod
ryst color	metallic lustrous	metallic lustrous	metallic lustrous	metallic lustrous
ryst size	$0.02 \times 0.04 \times 0.3 \text{ mm}^3$	$0.015 \times 0.05 \times 0.25 \text{ mm}^3$	$0.02 \times 0.05 \times 0.35 \text{ mm}^3$	$0.03 \times 0.05 \times 0.25 \text{ mm}^3$
N	76.30 g/mol	113.11 g/mol	299.54 g/mol	177.49 g/mol
ryst syst	orthorhombic	orthorhombic	orthorhombic	orthorhombic
pace group		Pmmm	Сттт	Стст
attice constants	a = 2.9373(3)  Å	a = 2.9556(4)  Å	a = 2.9517(4)  Å	a = 3.1987(4)  Å
	b = 11.0513(12)  Å	b = 2.9778(5)  Å	b = 21.280(3)  Å	b = 13.9218(14)  Å
	, ,	c = 8.0539(14)  Å	c = 3.0130(3)  Å	c = 3.0937(3)  Å
cell volume	96.33 Å <sup>3</sup>	$70.88 \text{ Å}^3$	189.26 Å <sup>3</sup>	137.77 Å <sup>3</sup>
ormula units	2	1	2	2
density, calcd	$5.26 \text{ g/cm}^3$	$5.30 \text{ g/cm}^3$	5.26 g/cm <sup>3</sup>	$6.45 \text{ g/cm}^3$
adiation		Μο Κα	Μο Κα	Μο Κα
9-range	$-6 \le h \le 6, -23 \le k \le 0, -6 \le l \le 6$	$-4 \le h \le 4, -4 \le k \le 4, -12 \le 1 \le 12$	$-4 \le h \le 4, -34 \le k \le 34, -4$ $\le l \le 4$	$-5 \le h \le 5, -22 \le k \le 22, -6 \le l \le 5$
$2 heta_{ m max}$	100°	70°	70°	72°
liffractometer	CAD4	STOE IPDS II	STOE IPDS II	STOE IPDS II
data collection	$\omega/2\Theta$ -scan	$0^{\circ} \le \omega \le 180^{\circ};$	$0^{\circ} \le \omega \le 180^{\circ};$	$0^{\circ} \le \omega \le 180^{\circ}$ ;
	$0.80^{\circ} \pm 0.50 \text{ tan } \Theta$	$\varphi=0^{\circ},\ \Delta\omega=2^{\circ}$	$\varphi = 0^{\circ}$ , $\Delta \omega = 2^{\circ}$	$\varphi$ = 0°, 111°, $\Delta\omega$ = 2°
neasure time	60 s	180 s	360 s	180 s
reflns measured	1041	1557	1879	1574
indep reflns	325	214	278	211
reflns $I > 2\sigma(I)$	307	183	208	199
abs corr	numerical, ψ-scan	equivalent, program XAREA/XSHAPE <sup>42,43</sup>	equivalent, program XAREA/XSHAPE <sup>42,43</sup>	equivalent, program XAREA/XSHAPE <sup>42,43</sup>
max/min transm	0.644; 0.363	0.632; 0.388	0.642; 0.421	0.1321; 0.0886
$R_{ m int}$ $R_{\sigma}$	0.0370, 0.0264	0.0880, 0.0338	0.0631; 0.0359	0.071, 0.021
ibs coeff	11.22 mm <sup>-1</sup>	11.28 mm <sup>-1</sup>	11.19 mm <sup>-1</sup>	9.39 mm <sup>-1</sup>
extinction coeff <sup>41</sup>	0.400(14)	0.028(14)	0.045(2)	0.103(6)
residual electron $e^-/Å^3$ min, max, $\sigma$	+1.08, -0.89, 0.20	+0.72, -0.77, 0.18	+0.75, -0.90, 0.19	+0.80, -1.44, 0.22
weighting function <sup>41</sup>	0.0118; 0.0	0.0374; 0.0	0.011; 1.15	0.029; 0.0
no. params	13	20	25	14
R-factors	R1(F) = 0.0135	R1(F) = 0.0193	R1(F) = 0.0256	R1(F) = 0.0145
	$wR2(F^2) = 0.0304$	$wR2(F^2) = 0.0474$	$wR2(F^2) = 0.0414$	$wR2(F^2) = 0.0379$
	WAlB	$Mn_2AlB_2$	$Fe_2AlB_2$	MoB
cryst shape	flat needle	flat needle	irregular fragment	Small rod
		metallic lustrous	black lustrous	black
cryst color	metallic lustrous			2
•	metallic lustrous $0.02 \times 0.05 \times 0.4 \text{ mm}^3$	$0.1 \times 0.05 \times 0.2 \text{ mm}^3$	$0.1 \times 0.15 \times 0.2 \text{ mm}^3$	$0.05 \times 0.05 \times 0.1 \text{ mm}^3$
cryst size		_	$0.1 \times 0.15 \times 0.2 \text{ mm}^3$ 80.15 g/mol	$0.05 \times 0.05 \times 0.1 \text{ mm}^3$ 106.75 g/mol
cryst size	$0.02\times0.05\times0.4~\text{mm}^3$	$0.1 \times 0.05 \times 0.2 \text{ mm}^3$	· · · · · · · · · · · · · · · · · · ·	
cryst size cryst syst	$0.02 \times 0.05 \times 0.4 \text{ mm}^3$ 221.64 g/mol	$0.1 \times 0.05 \times 0.2 \text{ mm}^3$ 79.24 g/mol	80.15 g/mol	106.75 g/mol
rryst size w cryst syst space group	$0.02 \times 0.05 \times 0.4 \text{ mm}^3$ 221.64 g/mol orthorhombic	$0.1 \times 0.05 \times 0.2 \text{ mm}^3$ 79.24 g/mol orthorhombic	80.15 g/mol orthorhombic <i>Cmmm</i> $a = 2.9217(4) \text{ Å}$	106.75 g/mol orthorhombic
cryst size fw cryst syst space group	$0.02 \times 0.05 \times 0.4 \text{ mm}^3$ 221.64 g/mol orthorhombic Cmcm	0.1 × 0.05 × 0.2 mm <sup>3</sup> 79.24 g/mol orthorhombic Cmmm	80.15 g/mol orthorhombic <i>Cmmm</i>	106.75 g/mol orthorhombic <i>Cmcm</i>
rryst size w cryst syst space group	$0.02 \times 0.05 \times 0.4 \text{ mm}^3$ 221.64  g/mol orthorhombic <i>Cmcm</i> a = 3.2016(3)  Å	$0.1 \times 0.05 \times 0.2 \text{ mm}^3$ 79.24 g/mol orthorhombic <i>Cmmm</i> a = 2.9180(4)  Å	80.15 g/mol orthorhombic <i>Cmmm</i> $a = 2.9217(4) \text{ Å}$	106.75 g/mol orthorhombic $Cmcm$ $a = 3.1418(2) \text{ Å}$
cryst size  w  cryst syst  space group  attice constants	$0.02 \times 0.05 \times 0.4 \text{ mm}^3$ 221.64  g/mol orthorhombic <i>Cmcm</i> a = 3.2016(3)  Å b = 13.9059(12)  Å	$0.1 \times 0.05 \times 0.2 \text{ mm}^3$ 79.24 g/mol orthorhombic <i>Cmmm</i> a = 2.9180(4)  Å b = 11.038(2)  Å	80.15 g/mol orthorhombic $Cmmm$ $a = 2.9217(4) \text{ Å}$ $b = 10.991(15) \text{ Å}$	106.75 g/mol orthorhombic Cmcm a = 3.1418(2) Å b = 8.4961(6) Å
cryst size  Tw  cryst syst  space group  attice constants	$0.02 \times 0.05 \times 0.4 \text{ mm}^3$ 221.64  g/mol orthorhombic <i>Cmcm</i> a = 3.2016(3)  Å b = 13.9059(12)  Å c = 3.1020(2)  Å	$0.1 \times 0.05 \times 0.2 \text{ mm}^3$ 79.24 g/mol orthorhombic Cmmm a = 2.9180(4)  Å b = 11.038(2)  Å c = 2.8932(5)  Å	80.15 g/mol orthorhombic Cmmm $a = 2.9217(4) \text{ Å}$ $b = 10.991(15) \text{ Å}$ $c = 2.8563(5) \text{ Å}$	106.75 g/mol orthorhombic <i>Cmcm</i> a = 3.1418(2)  Å b = 8.4961(6)  Å c = 3.0721(2)  Å
cryst size  fiw  cryst syst space group attice constants  cell volume formula units	$0.02 \times 0.05 \times 0.4 \text{ mm}^3$ 221.64  g/mol orthorhombic <i>Cmcm</i> a = 3.2016(3)  Å b = 13.9059(12)  Å c = 3.1020(2)  Å $138.10 \text{ Å}^3$	$0.1 \times 0.05 \times 0.2 \text{ mm}^3$ 79.24 g/mol orthorhombic <i>Cmmm</i> a = 2.9180(4)  Å b = 11.038(2)  Å c = 2.8932(5)  Å 93.19 Å <sup>3</sup>	80.15 g/mol orthorhombic Cmmm $a = 2.9217(4) \text{ Å}$ $b = 10.991(15) \text{ Å}$ $c = 2.8563(5) \text{ Å}$ 91.79 Å <sup>3</sup>	106.75 g/mol orthorhombic Cmcm a = 3.1418(2) Å b = 8.4961(6) Å c = 3.0721(2) Å 82.00 Å <sup>3</sup>
cryst size fw cryst syst space group lattice constants  cell volume formula units density, calcd	$0.02 \times 0.05 \times 0.4 \text{ mm}^3$ 221.64  g/mol orthorhombic <i>Cmcm</i> a = 3.2016(3)  Å b = 13.9059(12)  Å c = 3.1020(2)  Å $138.10 \text{ Å}^3$	$0.1 \times 0.05 \times 0.2 \text{ mm}^3$ 79.24  g/mol orthorhombic <i>Cmmm</i> a = 2.9180(4)  Å b = 11.038(2)  Å c = 2.8932(5)  Å $93.19 \text{ Å}^3$	80.15 g/mol orthorhombic <i>Cmmm</i> a = 2.9217(4)  Å b = 10.991(15)  Å c = 2.8563(5)  Å $91.79 \text{ Å}^3$	106.75 g/mol orthorhombic Cmcm a = 3.1418(2)  Å b = 8.4961(6)  Å c = 3.0721(2)  Å 82.00 Å <sup>3</sup>
cryst size fw cryst syst space group lattice constants  cell volume formula units density, calcd radiation 9-range	$0.02 \times 0.05 \times 0.4 \text{ mm}^3$ 221.64  g/mol orthorhombic <i>Cmcm</i> a = 3.2016(3)  Å b = 13.9059(12)  Å c = 3.1020(2)  Å $138.10 \text{ Å}^3$ 2 $10.66 \text{ g/cm}^3$	$0.1 \times 0.05 \times 0.2 \text{ mm}^3$ 79.24  g/mol orthorhombic Cmmm a = 2.9180(4)  Å b = 11.038(2)  Å c = 2.8932(5)  Å $93.19 \text{ Å}^3$ 2 $5.65 \text{ g/cm}^3$ Mo K $\alpha$	80.15 g/mol orthorhombic Cmmm $a = 2.9217(4) \text{ Å}$ $b = 10.991(15) \text{ Å}$ $c = 2.8563(5) \text{ Å}$ $91.79 \text{ Å}^3$ $2$ $5.80 \text{ g/cm}^3$	106.75 g/mol orthorhombic Cmcm $a = 3.1418(2) \text{ Å}$ $b = 8.4961(6) \text{ Å}$ $c = 3.0721(2) \text{ Å}$ 82.00 Å <sup>3</sup> 4 8.65 g/cm <sup>3</sup> Mo K $\alpha$ 4 $-5 \le h \le 5, -10 \le k \le 14$
cryst size  cryst syst space group attice constants  cell volume formula units density, calcd radiation 9-range	$0.02 \times 0.05 \times 0.4 \text{ mm}^3$ 221.64  g/mol orthorhombic <i>Cmcm</i> a = 3.2016(3)  Å b = 13.9059(12)  Å c = 3.1020(2)  Å $138.10 \text{ Å}^3$ 2 $10.66 \text{ g/cm}^3$ Mo K $\alpha$ $-4 \le h \le 4, -20 \le k \le 20, 4$	$0.1 \times 0.05 \times 0.2 \text{ mm}^3$ $79.24 \text{ g/mol}$ orthorhombic  Cmmm $a = 2.9180(4) \text{ Å}$ $b = 11.038(2) \text{ Å}$ $c = 2.8932(5) \text{ Å}$ $93.19 \text{ Å}^3$ $2$ $5.65 \text{ g/cm}^3$ Mo K $\alpha$ $0 - 4 \le h \le 4, -17 \le k \le 17, -1$	80.15 g/mol orthorhombic Cmmm $a = 2.9217(4) \text{ Å}$ $b = 10.991(15) \text{ Å}$ $c = 2.8563(5) \text{ Å}$ 91.79 Å <sup>3</sup> 2 5.80 g/cm <sup>3</sup> Mo K $\alpha$ 4 $-4 \le h \le 4, -17 \le k \le 17, -4$	106.75 g/mol orthorhombic $Cmcm$ $a = 3.1418(2) \text{ Å}$ $b = 8.4961(6) \text{ Å}$ $c = 3.0721(2) \text{ Å}$ $82.00 \text{ Å}^3$ $4$ $8.65 \text{ g/cm}^3$ $\text{Mo } \text{K}\alpha$ $4 = -5 \leq h \leq 5, -10 \leq k \leq 14$
The contract of the contract	$0.02 \times 0.05 \times 0.4 \text{ mm}^3$ 221.64  g/mol orthorhombic <i>Cmcm</i> a = 3.2016(3)  Å b = 13.9059(12)  Å c = 3.1020(2)  Å $138.10 \text{ Å}^3$ 2 $10.66 \text{ g/cm}^3$ Mo $K\alpha$ $-4 \le h \le 4, -20 \le k \le 20, 4$	0.1 × 0.05 × 0.2 mm <sup>3</sup> 79.24 g/mol orthorhombic  Cmmm $a = 2.9180(4) \text{ Å}$ $b = 11.038(2) \text{ Å}$ $c = 2.8932(5) \text{ Å}$ 93.19 Å <sup>3</sup> 2 5.65 g/cm <sup>3</sup> Mo K $\alpha$ 0 $-4 \le h \le 4, -17 \le k \le 17, -4$	80.15 g/mol orthorhombic Cmmm $a = 2.9217(4) \text{ Å}$ $b = 10.991(15) \text{ Å}$ $c = 2.8563(5) \text{ Å}$ 91.79 Å <sup>3</sup> 2 5.80 g/cm <sup>3</sup> Mo K $\alpha$ 4 $-4 \le h \le 4, -17 \le k \le 17, -4 \le l \le 4$	106.75 g/mol orthorhombic $Cmcm$ $a = 3.1418(2) \text{ Å}$ $b = 8.4961(6) \text{ Å}$ $c = 3.0721(2) \text{ Å}$ $82.00 \text{ Å}^3$ $4$ $8.65 \text{ g/cm}^3$ Mo $K\alpha$ $4$ $-5 \le h \le 5, -10 \le k \le 14$
cryst size five cryst syst space group attice constants formula units density, calcd radiation $\theta$ -range	$0.02 \times 0.05 \times 0.4 \text{ mm}^3$ $221.64 \text{ g/mol}$ orthorhombic  Cmcm $a = 3.2016(3) \text{ Å}$ $b = 13.9059(12) \text{ Å}$ $c = 3.1020(2) \text{ Å}$ $138.10 \text{ Å}^3$ $2$ $10.66 \text{ g/cm}^3$ Mo K $\alpha$ $-4 \le h \le 4, -20 \le k \le 20, 4 \le l \le 4$ $66^\circ$ STOE IPDS II $0^\circ \le \omega \le 180^\circ;$	$0.1 \times 0.05 \times 0.2 \text{ mm}^3$ $79.24 \text{ g/mol}$ orthorhombic $Cmmm$ $a = 2.9180(4) \text{ Å}$ $b = 11.038(2) \text{ Å}$ $c = 2.8932(5) \text{ Å}$ $93.19 \text{ Å}^3$ $2$ $5.65 \text{ g/cm}^3$ $Mo \text{ K}\alpha$ $0  -4 \leq h \leq 4, -17 \leq k \leq 17, -4 \leq l \leq 4$ $70^\circ$ STOE IPDS II $0^\circ \leq \omega \leq 180^\circ;$	80.15 g/mol orthorhombic Cmmm $a = 2.9217(4) \text{ Å}$ $b = 10.991(15) \text{ Å}$ $c = 2.8563(5) \text{ Å}$ $91.79 \text{ Å}^3$ $2$ $5.80 \text{ g/cm}^3$ Mo K $\alpha$ $4 -4 \le h \le 4, -17 \le k \le 17, -4 \le l \le 4$ $70^\circ$ STOE IPDS II $0^\circ \le \omega \le 180^\circ$ ;	106.75 g/mol orthorhombic $Cmcm$ $a = 3.1418(2) Å$ $b = 8.4961(6) Å$ $c = 3.0721(2) Å$ 82.00 Å <sup>3</sup> $4$ 8.65 g/cm <sup>3</sup> Mo $Kα$ $4 = -5 \le h \le 5, -10 \le k \le 14 \le l \le 5$ 72° CAD4 $ω/2Θ$ -scan
cryst size  for  cryst syst  space group  attice constants  cell volume  formula units  density, calcd  radiation  0-range  20 <sub>max</sub> diffractometer  data collection	$0.02 \times 0.05 \times 0.4 \text{ mm}^3$ $221.64 \text{ g/mol}$ orthorhombic  Cmcm $a = 3.2016(3) \text{ Å}$ $b = 13.9059(12) \text{ Å}$ $c = 3.1020(2) \text{ Å}$ $138.10 \text{ Å}^3$ $2$ $10.66 \text{ g/cm}^3$ Mo K $\alpha$ $-4 \le h \le 4, -20 \le k \le 20, 66$ STOE IPDS II $0^\circ \le \omega \le 180^\circ;$ $\varphi = 0^\circ, 111^\circ, \Delta \omega = 2^\circ$	$0.1 \times 0.05 \times 0.2 \text{ mm}^3$ $79.24 \text{ g/mol}$ orthorhombic $Cmmm$ $a = 2.9180(4) \text{ Å}$ $b = 11.038(2) \text{ Å}$ $c = 2.8932(5) \text{ Å}$ $93.19 \text{ Å}^3$ $2$ $5.65 \text{ g/cm}^3$ $Mo \text{ K}\alpha$ $0  -4 \leq h \leq 4, -17 \leq k \leq 17, -\frac{1}{2} \leq 4$ $70^\circ$ $STOE \text{ IPDS II}$ $0^\circ \leq \omega \leq 180^\circ;$ $\varphi = 0^\circ, 111^\circ, \Delta\omega = 2^\circ$	80.15 g/mol orthorhombic Cmmm $a = 2.9217(4) \text{ Å}$ $b = 10.991(15) \text{ Å}$ $c = 2.8563(5) \text{ Å}$ $91.79 \text{ Å}^3$ $2$ $5.80 \text{ g/cm}^3$ Mo K $\alpha$ $4 -4 \le h \le 4, -17 \le k \le 17, -4 \le l \le 4$ $70^\circ$ STOE IPDS II $0^\circ \le \omega \le 180^\circ;$ $\varphi = 0^\circ, 111^\circ, \Delta\omega = 2^\circ$	106.75 g/mol orthorhombic $Cmcm$ $a = 3.1418(2)$ Å $b = 8.4961(6)$ Å $c = 3.0721(2)$ Å $82.00$ Å <sup>3</sup> $4$ $8.65$ g/cm <sup>3</sup> Mo Kα $4 = -5 \le h \le 5, -10 \le k \le 14 \le l \le 5$ $72^\circ$ CAD4 $\omega/2\Theta$ -scan $0.80^\circ \pm 0.50$ tan $\Theta$
cryst size  for  cryst syst  space group  attice constants  cell volume  formula units  density, calcd  radiation  9-range  20 <sub>max</sub> diffractometer  data collection  measure time	$0.02 \times 0.05 \times 0.4 \text{ mm}^3$ $221.64 \text{ g/mol}$ orthorhombic  Cmcm $a = 3.2016(3) \text{ Å}$ $b = 13.9059(12) \text{ Å}$ $c = 3.1020(2) \text{ Å}$ $138.10 \text{ Å}^3$ $2$ $10.66 \text{ g/cm}^3$ Mo $K\alpha$ $-4 \le h \le 4, -20 \le k \le 20, 4 \le l \le 4$ $66^\circ$ STOE IPDS II $0^\circ \le \omega \le 180^\circ;$ $\varphi = 0^\circ, 111^\circ, \Delta\omega = 2^\circ$ $300 \text{ s}$	$0.1 \times 0.05 \times 0.2 \text{ mm}^3$ $79.24 \text{ g/mol}$ orthorhombic $Cmmm$ $a = 2.9180(4) \text{ Å}$ $b = 11.038(2) \text{ Å}$ $c = 2.8932(5) \text{ Å}$ $93.19 \text{ Å}^3$ $2$ $5.65 \text{ g/cm}^3$ $Mo \text{ K}\alpha$ $0  -4 \leq h \leq 4, -17 \leq k \leq 17, -\frac{1}{2} \leq 4$ $70^\circ$ STOE IPDS II $0^\circ \leq \omega \leq 180^\circ;$ $\varphi = 0^\circ, 111^\circ, \Delta\omega = 2^\circ$ $240 \text{ s}$	80.15 g/mol orthorhombic Cmmm $a = 2.9217(4) \text{ Å}$ $b = 10.991(15) \text{ Å}$ $c = 2.8563(5) \text{ Å}$ $91.79 \text{ Å}^3$ 2 $5.80 \text{ g/cm}^3$ Mo K $\alpha$ 4 $-4 \le h \le 4, -17 \le k \le 17, -4 \le l \le 4$ $70^\circ$ STOE IPDS II $0^\circ \le \omega \le 180^\circ$ ; $\varphi = 0^\circ, 111^\circ, \Delta\omega = 2^\circ$ 240 s	106.75 g/mol orthorhombic $Cmcm$ $a = 3.1418(2) Å$ $b = 8.4961(6) Å$ $c = 3.0721(2) Å$ $82.00 Å^3$ $4$ $8.65 g/cm^3$ Mo $K\alpha$ $4 = -5 \le h \le 5, -10 \le k \le 14$ $\le l \le 5$ $72^\circ$ $CAD4$ $\omega/2\Theta$ -scan $0.80^\circ \pm 0.50 \tan \Theta$ $60 s$
cryst size fiw cryst syst space group lattice constants  cell volume formula units density, calcd radiation $g$ -range $2\theta_{\text{max}}$ diffractometer data collection  measure time reflns measured	$0.02 \times 0.05 \times 0.4 \text{ mm}^3$ $221.64 \text{ g/mol}$ orthorhombic  Cmcm $a = 3.2016(3) \text{ Å}$ $b = 13.9059(12) \text{ Å}$ $c = 3.1020(2) \text{ Å}$ $138.10 \text{ Å}^3$ $2$ $10.66 \text{ g/cm}^3$ Mo K $\alpha$ $-4 \le h \le 4, -20 \le k \le 20, 4 \le l \le 4$ $66^\circ$ STOE IPDS II $0^\circ \le \omega \le 180^\circ;$ $\varphi = 0^\circ, 111^\circ, \Delta \omega = 2^\circ$ $300 \text{ s}$ $1768$	$0.1 \times 0.05 \times 0.2 \text{ mm}^3$ $79.24 \text{ g/mol}$ orthorhombic $Cmmm$ $a = 2.9180(4) \text{ Å}$ $b = 11.038(2) \text{ Å}$ $c = 2.8932(5) \text{ Å}$ $93.19 \text{ Å}^3$ $2$ $5.65 \text{ g/cm}^3$ Mo $K\alpha$ $0 -4 \le h \le 4, -17 \le k \le 17, -\frac{1}{2} \le k \le 17$ STOE IPDS II $0^\circ \le \omega \le 180^\circ;$ $\varphi = 0^\circ, 111^\circ, \Delta\omega = 2^\circ$ 240 s $1406$	80.15 g/mol orthorhombic Cmmm $a = 2.9217(4)$ Å $b = 10.991(15)$ Å $c = 2.8563(5)$ Å $91.79$ Å $3$ $2$ $5.80$ g/cm $3$ Mo K $\alpha$ $4 -4 \le h \le 4, -17 \le k \le 17, -4 \le l \le 4$ $70^\circ$ STOE IPDS II $0^\circ \le \omega \le 180^\circ$ ; $\varphi = 0^\circ, 111^\circ, \Delta\omega = 2^\circ$ 240 s $1106$	106.75 g/mol orthorhombic $Cmcm$ $a = 3.1418(2) \text{ Å}$ $b = 8.4961(6) \text{ Å}$ $c = 3.0721(2) \text{ Å}$ $82.00 \text{ Å}^3$ $4$ $8.65 \text{ g/cm}^3$ $Mo  K\alpha$ $4 = -5 \le h \le 5, -10 \le k \le 14 \le l \le 5$ $72^\circ$ $CAD4$ $\omega/2\Theta$ -scan $0.80^\circ \pm 0.50 \tan \Theta$ $60 \text{ s}$ $2.56$
cryst size fiw cryst syst space group lattice constants  cell volume formula units density, calcd radiation $g$ -range $2\theta_{max}$ diffractometer data collection  measure time reflns measured indep reflns	$0.02 \times 0.05 \times 0.4 \text{ mm}^3$ $221.64 \text{ g/mol}$ orthorhombic  Cmcm $a = 3.2016(3) \text{ Å}$ $b = 13.9059(12) \text{ Å}$ $c = 3.1020(2) \text{ Å}$ $138.10 \text{ Å}^3$ $2$ $10.66 \text{ g/cm}^3$ Mo K $\alpha$ $-4 \le h \le 4, -20 \le k \le 20, 4 \le l \le 4$ $66^\circ$ STOE IPDS II $0^\circ \le \omega \le 180^\circ;$ $\varphi = 0^\circ, 111^\circ, \Delta \omega = 2^\circ$ $300 \text{ s}$ $1768$ $167$	$0.1 \times 0.05 \times 0.2 \text{ mm}^3$ $79.24 \text{ g/mol}$ orthorhombic $Cmmm$ $a = 2.9180(4) \text{ Å}$ $b = 11.038(2) \text{ Å}$ $c = 2.8932(5) \text{ Å}$ $93.19 \text{ Å}^3$ $2$ $5.65 \text{ g/cm}^3$ $Mo  K\alpha$ $0 -4 \le h \le 4, -17 \le k \le 17, -\frac{1}{2} \le k \le 17$ $0^\circ$ STOE IPDS II $0^\circ \le \omega \le 180^\circ;$ $\varphi = 0^\circ, 111^\circ, \Delta\omega = 2^\circ$ $240 \text{ s}$ $1406$ $145$	80.15 g/mol orthorhombic Cmmm $a = 2.9217(4)$ Å $b = 10.991(15)$ Å $c = 2.8563(5)$ Å $91.79$ Å $3$ $2$ $5.80$ g/cm $3$ Mo K $\alpha$ $4 -4 \le h \le 4, -17 \le k \le 17, -4 \le l \le 4$ $70^\circ$ STOE IPDS II $0^\circ \le \omega \le 180^\circ$ ; $\varphi = 0^\circ, 111^\circ, \Delta\omega = 2^\circ$ 240 s $1106$ $138$	106.75 g/mol orthorhombic $Cmcm$ $a = 3.1418(2) \text{ Å}$ $b = 8.4961(6) \text{ Å}$ $c = 3.0721(2) \text{ Å}$ $82.00 \text{ Å}^3$ $4$ $8.65 \text{ g/cm}^3$ $Mo  K\alpha$ $4 = 5 \le h \le 5, -10 \le k \le 14$ $6 \le l \le 5$ $6 \le l \le 5$ $6 \le 120$ $6 \ge 120$
cryst size  for  cryst syst  space group  attice constants  cell volume  formula units  density, calcd  radiation  0-range  20 <sub>max</sub> diffractometer  data collection  measure time  reflns measured	$0.02 \times 0.05 \times 0.4 \text{ mm}^3$ $221.64 \text{ g/mol}$ orthorhombic  Cmcm $a = 3.2016(3) \text{ Å}$ $b = 13.9059(12) \text{ Å}$ $c = 3.1020(2) \text{ Å}$ $138.10 \text{ Å}^3$ $2$ $10.66 \text{ g/cm}^3$ Mo K $\alpha$ $-4 \le h \le 4, -20 \le k \le 20, 4 \le l \le 4$ $66^\circ$ STOE IPDS II $0^\circ \le \omega \le 180^\circ;$ $\varphi = 0^\circ, 111^\circ, \Delta \omega = 2^\circ$ $300 \text{ s}$ $1768$	$0.1 \times 0.05 \times 0.2 \text{ mm}^3$ $79.24 \text{ g/mol}$ orthorhombic $Cmmm$ $a = 2.9180(4) \text{ Å}$ $b = 11.038(2) \text{ Å}$ $c = 2.8932(5) \text{ Å}$ $93.19 \text{ Å}^3$ $2$ $5.65 \text{ g/cm}^3$ Mo $K\alpha$ $0 -4 \le h \le 4, -17 \le k \le 17, -\frac{1}{2} \le k \le 17$ STOE IPDS II $0^\circ \le \omega \le 180^\circ;$ $\varphi = 0^\circ, 111^\circ, \Delta\omega = 2^\circ$ 240 s $1406$	80.15 g/mol orthorhombic Cmmm $a = 2.9217(4)$ Å $b = 10.991(15)$ Å $c = 2.8563(5)$ Å $91.79$ Å $3$ $2$ $5.80$ g/cm $3$ Mo K $\alpha$ $4 -4 \le h \le 4, -17 \le k \le 17, -4 \le l \le 4$ $70^\circ$ STOE IPDS II $0^\circ \le \omega \le 180^\circ$ ; $\varphi = 0^\circ, 111^\circ, \Delta\omega = 2^\circ$ 240 s $1106$	106.75 g/mol orthorhombic $Cmcm$ $a = 3.1418(2) \text{ Å}$ $b = 8.4961(6) \text{ Å}$ $c = 3.0721(2) \text{ Å}$ $82.00 \text{ Å}^3$ $4$ $8.65 \text{ g/cm}^3$ $\text{Mo } \text{K}\alpha$ $4 = 5 \le h \le 5, -10 \le k \le 14$ $6 \le h \le 5$ $72^\circ$ $6 \ge h \le 5$ $72^\circ$ $6 \ge h \le 5$ $72^\circ$ $6 \ge h \le 5$ $72^\circ$

Table 1. continued

	WAlB	$Mn_2AlB_2$	$Fe_2AlB_2$	MoB
$R_{\mathrm{int}}$ , $R_{\sigma}$	0.076, 0.026	0.073, 0.032	0.068, 0.027	0.043; 0.034
abs coeff	85.06 mm <sup>-1</sup>	13.48 mm <sup>-1</sup>	15.74 mm <sup>-1</sup>	14.67 mm <sup>-1</sup>
extinction coeff <sup>41</sup>	0.014(1)	0.16(2)	0.094(8)	0.032(9)
residual electron e $^-/\text{Å}^3$ min, max, $\sigma$	+1.18, -2.17, 0.38	+1.46, -0.79, 0.21	+0.79, -0.73, 0.16	+2.16, -2.47, 0.44
weighting function <sup>41</sup>	0.009; 0.0	0.045; 0.0	0.020; 0.0	0.040; 1.085
no. params	12	13	13	10
R-factors	R1(F) = 0.0140 $wR2(F^2) = 0.0294$	R1(F) = 0.0229 $wR2(F^2) = 0.0542$	R1(F) = 0.0162 $wR2(F^2) = 0.0359$	R1(F) = 0.0254 $wR2(F^2) = 0.0657$

Table 2. Coordinates, Displacement Parameters (in 10<sup>4</sup> Å<sup>2</sup>), and Site Occupation Factors<sup>a</sup>

		-		` ,,	•				
compd atom	site	$\boldsymbol{x}$	y	z	$U_{ m eq}$	$sof^b$	$U_{11}$	$U_{22}$	$U_{33}$
				Cr	2AlB2				
Cr	4i	0	0.146 86(1)	0	24(1)	1.003(3)	28(1)	30(1)	14(1)
Al	2c	0	0.5	0.5	40(1)	0.99(2)	51(2)	32(1)	36(1)
В	4 <i>j</i>	0	0.294 01(8)	0.5	38(1)	1.006(6)	37(3)	48(3)	28(2)
				Cr	3AlB <sub>4</sub>				
Cr1	1a	0	0	0	64(2)	1.001(6)	67(3)	56(3)	68(3)
Cr2	2 <i>f</i>	0	0	0.29923(7)	51(2)	1.002(6)	49(2)	40(2)	64(2)
Al	1b	0	0	0.5	68(3)	0.99(1)	73(6)	76(5)	54(5)
B1	2 <i>f</i>	0	0.5	0.1077(5)	62(5)	1.00(2)	55(12)	54(12)	77(15)
B2	2a	0	0	0.2214(5)	58(5)	1.01(2)	58(11)	51(11)	69(13)
				Cr	₄AlB <sub>6</sub>				
Cr1	4i	0	0.076 34(4)	0	34(2)	0.998(1)	25(4)	47(4)	41(4)
Cr2	4i	0	0.688 43(4)	0	51(2)	0.999(1)	42(4)	57(4)	55(4)
Al	2c	0	0.5	0.5	63(4)	1.01(2)	65(9)	44(9)	80(10)
B1	4 <i>j</i>	0	0.6050(2)	0.5	40(11)	0.99(4)	31(23)	16(19)	73(27)
B2	4 <i>j</i>	0	0.1481(3)	0.5	62(11)	1.00(4)	60(24)	10(18)	115(28)
В3	4 <i>j</i>	0	0.2298(2)	0.5	53(13)	1.04(4)	81(32)	24(20)	52(31)
				W	AlB				
W	4 <i>c</i>	0	0.410 02(2)	0.25	36(2)	0.99(1)	33(2)	40(2)	34(2)
Al	4 <i>c</i>	0	0.3006(2)	0.25	62(5)	1.06(2)	53(13)	70(10)	61(10)
В	4 <i>c</i>	0	0.4645(6)	0.25	$33(14)^c$	1.13(7)			
				Mo	oAlB				
Mo	4 <i>c</i>	0	0.410 52(2)	0.25	34(1)	0.99(1)	40(2)	31(2)	30(2)
Al	4 <i>c</i>	0	0.198 49(9)	0.25	61(2)	1.01(1)	70(5)	46(4)	66(5)
В	4 <i>c</i>	0	0.0338(3)	0.25	53(6)	0.98(4)	51(13)	68(14)	39(14)
				Mn	<sub>2</sub> AlB <sub>2</sub>				
Mn	4i	0	0.144 91(5)	0	48(2)	1.00(1)	41(2)	56(3)	46(3)
Al	2c	0	0.5	0.5	58(3)	1.01(1)	57(6)	45(6)	72(6)
В	4 <i>j</i>	0	0.2937(3)	0.5	60(6)	0.95(3)	37(13)	80(16)	62(13)
				Fe	$_{2}AlB_{2}$				
Fe	4i	0	0.145 96(5)	0	66(2)	0.962(9)	81(2)	58(2)	61(2)
Al	2c	0	0.5	0.5	67(3)	1.04(1)	79(6)	36(6)	85(6)
В	4 <i>j</i>	0	0.2932(3)	0.5	81(6)	1.04(3)	81(14)	76(14)	88(13)
				N	ſoВ				
Mo	4 <i>c</i>	0	0.854 84(6)	0.25	48(3)	1.02(2)	59(2)	59(4)	60(4)
В	4 <i>c</i>	0	0.5601(9)	0.25	97(13)	0.85(8)	76(28)	92(26)	124(34)
			_						

<sup>&</sup>quot;esd's in parentheses,  $U_{12} = U_{23} = U_{13} = 0$ . In order to check for mixed occupations and/or vacancies, site occupation factors were treated by turns as free variables at the end of the refinement.  ${}^{c}U_{iso}$ .

cooling the melts from 1450 to 800 °C with 10 °C/h increments. Laths of  $Mn_2AlB_2$  (Figure 2) have been obtained after dissolving the excess Al with diethyl ether saturated by gaseous hydrogen chloride. The powder XRD (Supporting Information Figure S6) showed  $MnAl_6$  and  $AlB_2$  as byproducts. A polished section of the solidified melt (Supporting Information Figure S8) showed  $MnAl_6$  and Al beside  $Mn_2AlB_2$ .

Fe<sub>2</sub>AlB<sub>2</sub>. Fe<sub>2</sub>AlB<sub>2</sub> could be synthesized from melts in the system Fe/Al/B with an atomic ratio Fe:Al:B of 3:3:4 and the same temperature conditions as for Mn<sub>2</sub>AlB<sub>2</sub>. Powder XRD of the sample (Supporting Information Figure S7) showed Fe<sub>2</sub>AlB<sub>2</sub> as the main phase with smaller

amounts of Fe<sub>4</sub>Al<sub>13</sub>. <sup>6</sup> EDX measurements of polished sections of the solidified melt (Supporting Information Figure S8) revealed also the presence of (Al<sub>1-x</sub>Fe<sub>x</sub>)B<sub>2</sub> (EDX:  $x \approx 0.05$ ) and  $\alpha$ -AlB<sub>12</sub> <sup>6</sup> in the samples. Because Fe<sub>2</sub>AlB<sub>2</sub> reacts with hydrochloric acid, single crystals (Figure 2) were isolated mechanically after crushing the solidified samples.

**Structure Analysis.** Single crystals were selected under a microscope from the residues after dissolving the material. Different types of single crystal diffractometers were used for data collection (see Table 1). Indexing procedures resulted in orthorhombic unit cells. For MoAlB, WAlB, Cr<sub>2</sub>AlB<sub>2</sub>, Cr<sub>3</sub>AlB<sub>4</sub>, Mn<sub>2</sub>AlB<sub>2</sub>, and Fe<sub>2</sub>AlB<sub>2</sub>, observed lattice

Table 3. Selected Distances (Å) and Angles (deg), with esd's in Parentheses

$Cr_2AlB_2$					
Cr–B	2.1876(3) 4×	Al-B	2.2765(9) 2×	В-В	1.7616(9) 2×
-В	2.2014(6) 2×	–Cr	2.6643(2) 8×	–Cr	2.1876(3) 4×
	` '		, ,		
–Al	2.6443(2) 4×	-Al	2.9372(3) 2×	-Cr	2.2014(6) 2×
-Cr	2.7118(2) 2×	-Al	2.9675(3) 2×	–Al	2.2765(9) 1×
-Cr	2.9372(3) 2×			В-В-В	113.0(1)
-Cr	2.9675(3) 2×				
-Cr	3.2460(2)				
Cr <sub>3</sub> AlB <sub>4</sub>					
Cr2-B1	$2.144(3) 2 \times$	Al-B2	$2.244(4) 2 \times$	B1-B1	1.735(8)
-B2	$2.190(1) 4 \times$	-Cr2	$2.6487(4) 8 \times$	−B2	$1.738(3) 2 \times$
-Al	$2.6487(4) 4 \times$	-Al	2.9556(4) 2×	B2-Al	2.244(4)
-Cr1	3.236(1)	-Al	$2.9778(5) 2 \times$		
Cr1-B1	2.270(2) 8×			B2-B1-B2	116.4(3)
-B2	2.323(3) 4×			B1-B1-B2	121.8(1)
-Cr2	2.826(1) 4×				
Cr <sub>4</sub> AlB <sub>6</sub>					
Cr1-B1	2.146(4) 2×	Al-B1	2.234(5) 2×	B1-B2	1.738(4) 2×
-B2	2.195(1) 4×	-Cr1	2.6621(5) 8×	-Al	2.234(5)
-Al	2.6621(5) 4×	-Al	2.9517(4) 2×	B2-B3	1.738(7)
Cr2-B2	2.277(2) 4×	-Al	3.0130(3) 2×	-B1	1.738(4) 2×
-B3	2.285(2) 4×		0.0000 (0) 27.	B3-B3	1.707(5) 2×
-B3	2.301(4) 2×			−B2	1.738(7)
-B1	2.329(4) 2×			B2-B1-B2	116.2(4)
DI	2.327(4) 27			B1-B2-B1	116.2(4)
				B1-B2-B1	121.9(2)
				B1-B2-B3 B2-B3-B3	121.9(2)
M. AID				B3-B3-B3	120.2(3)
MoAlB	2.24((2) 4	Al D	2 202(4)	D. D.	1 010(4) 2
Мо-В	2.346(3) 4×	Al–B	2.293(4)	В-В	1.810(4) 2×
-B	2.356(1) 2×	-Mo	2.6933(7) 4×	-Mo	2.346(3) 4×
–Al	2.6933(7) 4×	-Mo	2.952(1)	– Mo	2.356(1) 2×
–Al	2.952(1)	-Al	2.647(1) 4×	–Al	2.293(4)
-Mo	2.9325(5) 2×			В-В-В	117.4(13)
WAlB					
W-B	2.354(3) 4×	Al–B	2.280(9)	В-В	1.838(9) 2×
-В	$2.368(6) 2 \times$	-W	$2.699(2) 4 \times$	-W	2.354(3) 4×
-Al				TAT	$2.368(6) 2 \times$
-Al	2.699(2) 4×	-W	2.928(3)	-W	
	2.929(3)	−W −Al	2.928(3) 2.636(3) 4×	−w −Al	2.280(9)
−W					
	2.929(3)			-Al	2.280(9)
-W	2.929(3)			-Al	2.280(9)
$-W$ $Mn_2AlB_2$	2.929(3) 2.944(1) 2×	–Al	2.636(3) 4×	-Al B-B-B	2.280(9) 115.1(9)
-W Mn <sub>2</sub> AlB <sub>2</sub> Mn-B	2.929(3) 2.944(1) 2× 2.164(1) 4×	−Al Al−B	2.636(3) 4× 2.277(4) 2×	-Al B-B-B B-B	2.280(9) 115.1(9) 1.749(4) 2×
-W Mn <sub>2</sub> AlB <sub>2</sub> Mn-B -B	2.929(3) 2.944(1) 2× 2.164(1) 4× 2.188(3) 2×	-Al Al-B -Mn	2.636(3) 4× 2.277(4) 2× 2.604(1) 8×	-Al B-B-B B-B -Mn	2.280(9) 115.1(9) 1.749(4) 2× 2.164(1) 4×
$-W$ $Mn_2AlB_2$ $Mn-B$ $-B$	2.929(3) 2.944(1) 2× 2.164(1) 4× 2.188(3) 2× 2.6038(4) 4×	-Al Al-B -Mn -Al	2.636(3) 4× 2.277(4) 2× 2.604(1) 8× 2.8932(5) 2×	-Al B-B-B B-B -Mn -Mn	2.280(9) 115.1(9) 1.749(4) 2× 2.164(1) 4× 2.188(3) 2×
-W Mn <sub>2</sub> AlB <sub>2</sub> Mn-B -B -Al -Mn	2.929(3) 2.944(1) 2× 2.164(1) 4× 2.188(3) 2× 2.6038(4) 4× 2.741(1) 2×	-Al Al-B -Mn -Al	2.636(3) 4× 2.277(4) 2× 2.604(1) 8× 2.8932(5) 2×	-Al B-B-B B-B -Mn -Mn -Al	2.280(9) 115.1(9) 1.749(4) 2× 2.164(1) 4× 2.188(3) 2× 2.277(4) 1×
-W Mn <sub>2</sub> AlB <sub>2</sub> Mn-B -B -Al -Mn	2.929(3) 2.944(1) 2× 2.164(1) 4× 2.188(3) 2× 2.6038(4) 4× 2.741(1) 2× 2.8932(5) 2×	-Al Al-B -Mn -Al	2.636(3) 4× 2.277(4) 2× 2.604(1) 8× 2.8932(5) 2×	-Al B-B-B B-B -Mn -Mn -Al	2.280(9) 115.1(9) 1.749(4) 2× 2.164(1) 4× 2.188(3) 2× 2.277(4) 1×
-W Mn <sub>2</sub> AlB <sub>2</sub> Mn-B -B -Al -Mn -Mn -Mn	2.929(3) 2.944(1) 2× 2.164(1) 4× 2.188(3) 2× 2.6038(4) 4× 2.741(1) 2× 2.8932(5) 2× 2.9180(4) 2×	-Al Al-B -Mn -Al	2.636(3) 4× 2.277(4) 2× 2.604(1) 8× 2.8932(5) 2×	-Al B-B-B B-B -Mn -Mn -Al	2.280(9) 115.1(9) 1.749(4) 2× 2.164(1) 4× 2.188(3) 2× 2.277(4) 1×
$-W$ $Mn_2AlB_2$ $Mn-B$ $-B$ $-Al$ $-Mn$ $-Mn$ $-Mn$ $-Mn$ $-Mn$ $Fe_2AlB_2$	2.929(3) 2.944(1) 2× 2.164(1) 4× 2.188(3) 2× 2.6038(4) 4× 2.741(1) 2× 2.8932(5) 2× 2.9180(4) 2× 3.1990(4)	-Al Al-B -Mn -Al -Al	2.636(3) 4× 2.277(4) 2× 2.604(1) 8× 2.8932(5) 2× 2.9180(4) 2×	-Al B-B-B  B-B  -Mn  -Mn  -Al B-B-B	2.280(9) 115.1(9) 1.749(4) 2× 2.164(1) 4× 2.188(3) 2× 2.277(4) 1× 113.1(4)
$-W$ $Mn_2AlB_2$ $Mn-B$ $-B$ $-Al$ $-Mn$ $-Mn$ $-Mn$ $-Mn$ $-Mn$ $Fe_2AlB_2$ $Fe-B$	2.929(3) 2.944(1) 2× 2.164(1) 4× 2.188(3) 2× 2.6038(4) 4× 2.741(1) 2× 2.8932(5) 2× 2.9180(4) 2× 3.1990(4) 2.150(1) 4×	-Al Al-B -Mn -Al -Al	2.636(3) 4× 2.277(4) 2× 2.604(1) 8× 2.8932(5) 2× 2.9180(4) 2× 2.275(4) 2×	-Al B-B-B  B-B -Mn -Mn -Al B-B-B	2.280(9) 115.1(9) 1.749(4) 2× 2.164(1) 4× 2.188(3) 2× 2.277(4) 1× 113.1(4) 1.742(4) 2×
$-W$ $Mn_2AlB_2$ $Mn-B$ $-B$ $-Al$ $-Mn$ $-Mn$ $-Mn$ $-Mn$ $-Mn$ $Fe_2AlB_2$ $Fe-B$ $-B$	2.929(3) 2.944(1) 2× 2.164(1) 4× 2.188(3) 2× 2.6038(4) 4× 2.741(1) 2× 2.8932(5) 2× 2.9180(4) 2× 3.1990(4) 2.150(1) 4× 2.159(3) 2×	-Al Al-B -Mn -Al -Al Al-B -Fe	2.636(3) 4× 2.277(4) 2× 2.604(1) 8× 2.8932(5) 2× 2.9180(4) 2×	-Al B-B-B  -Mn -Mn -Al B-B-B  B-B  -Fe	2.280(9) 115.1(9) 1.749(4) 2× 2.164(1) 4× 2.188(3) 2× 2.277(4) 1× 113.1(4) 1.742(4) 2× 2.150(1) 4×
-W Mn <sub>2</sub> AlB <sub>2</sub> Mn-B -B -Al -Mn -Mn -Mn -Mn -Ee <sub>2</sub> AlB <sub>2</sub> Fe-B -B	2.929(3) 2.944(1) 2× 2.164(1) 4× 2.188(3) 2× 2.6038(4) 4× 2.741(1) 2× 2.8932(5) 2× 2.9180(4) 2× 3.1990(4) 2.150(1) 4× 2.159(3) 2× 2.5983(4) 4×	-Al Al-B -Mn -Al -Al -Al -Al	2.636(3) 4×  2.277(4) 2× 2.604(1) 8× 2.8932(5) 2× 2.9180(4) 2×  2.275(4) 2× 2.5983(4) 8× 2.8563(5) 2×	-Al B-B-B  -Mn -Mn -Al B-B-B  B-B  -Fe -Fe	2.280(9) 115.1(9) 1.749(4) 2× 2.164(1) 4× 2.188(3) 2× 2.277(4) 1× 113.1(4) 1.742(4) 2× 2.150(1) 4× 2.159(3) 2×
-W Mn <sub>2</sub> AlB <sub>2</sub> Mn-B -B -Al -Mn -Mn -Mn -Mn -E <sub>2</sub> AlB <sub>2</sub> Fe-B -Al -Fe	2.929(3) 2.944(1) 2× 2.164(1) 4× 2.188(3) 2× 2.6038(4) 4× 2.741(1) 2× 2.8932(5) 2× 2.9180(4) 2× 3.1990(4) 2.150(1) 4× 2.159(3) 2× 2.5983(4) 4× 2.715(1) 2×	-Al Al-B -Mn -Al -Al Al-B -Fe	2.636(3) 4×  2.277(4) 2× 2.604(1) 8× 2.8932(5) 2× 2.9180(4) 2×  2.275(4) 2× 2.5983(4) 8×	-Al B-B-B  B-B -Mn -Mn -Al B-B-B  B-B  -Fe -Fe -Al	2.280(9) 115.1(9) 1.749(4) 2× 2.164(1) 4× 2.188(3) 2× 2.277(4) 1× 113.1(4) 1.742(4) 2× 2.150(1) 4× 2.159(3) 2× 2.275(4) 1×
-W Mn <sub>2</sub> AlB <sub>2</sub> Mn-B -B -Al -Mn -Mn -Mn -Mn -E <sub>2</sub> AlB <sub>2</sub> Fe-B -B -Al -Fe	2.929(3) 2.944(1) 2× 2.164(1) 4× 2.188(3) 2× 2.6038(4) 4× 2.741(1) 2× 2.8932(5) 2× 2.9180(4) 2× 3.1990(4) 2.150(1) 4× 2.159(3) 2× 2.5983(4) 4× 2.715(1) 2× 2.8563(5) 2×	-Al Al-B -Mn -Al -Al -Al -Al	2.636(3) 4×  2.277(4) 2× 2.604(1) 8× 2.8932(5) 2× 2.9180(4) 2×  2.275(4) 2× 2.5983(4) 8× 2.8563(5) 2×	-Al B-B-B  -Mn -Mn -Al B-B-B  B-B  -Fe -Fe	2.280(9) 115.1(9) 1.749(4) 2× 2.164(1) 4× 2.188(3) 2× 2.277(4) 1× 113.1(4) 1.742(4) 2× 2.150(1) 4× 2.159(3) 2×
-W Mn <sub>2</sub> AlB <sub>2</sub> Mn-B -B -Al -Mn -Mn -Mn -Mn -Ee-B -B -B -Al -Fe -Fe	2.929(3) 2.944(1) 2× 2.164(1) 4× 2.188(3) 2× 2.6038(4) 4× 2.741(1) 2× 2.8932(5) 2× 2.9180(4) 2× 3.1990(4) 2.150(1) 4× 2.159(3) 2× 2.5983(4) 4× 2.715(1) 2× 2.8563(5) 2× 2.9217(4) 2×	-Al Al-B -Mn -Al -Al -Al -Al	2.636(3) 4×  2.277(4) 2× 2.604(1) 8× 2.8932(5) 2× 2.9180(4) 2×  2.275(4) 2× 2.5983(4) 8× 2.8563(5) 2×	-Al B-B-B  B-B -Mn -Mn -Al B-B-B  B-B  -Fe -Fe -Al	2.280(9) 115.1(9) 1.749(4) 2× 2.164(1) 4× 2.188(3) 2× 2.277(4) 1× 113.1(4) 1.742(4) 2× 2.150(1) 4× 2.159(3) 2× 2.275(4) 1×
-W Mn <sub>2</sub> AlB <sub>2</sub> Mn-B -B -Al -Mn -Mn -Mn -Mn -Ee-AlB <sub>2</sub> Fe-B -B -Al -Fe -Fe -Fe	2.929(3) 2.944(1) 2× 2.164(1) 4× 2.188(3) 2× 2.6038(4) 4× 2.741(1) 2× 2.8932(5) 2× 2.9180(4) 2× 3.1990(4) 2.150(1) 4× 2.159(3) 2× 2.5983(4) 4× 2.715(1) 2× 2.8563(5) 2×	-Al Al-B -Mn -Al -Al -Al -Al	2.636(3) 4×  2.277(4) 2× 2.604(1) 8× 2.8932(5) 2× 2.9180(4) 2×  2.275(4) 2× 2.5983(4) 8× 2.8563(5) 2×	-Al B-B-B  B-B -Mn -Mn -Al B-B-B  B-B  -Fe -Fe -Al	2.280(9) 115.1(9) 1.749(4) 2× 2.164(1) 4× 2.188(3) 2× 2.277(4) 1× 113.1(4) 1.742(4) 2× 2.150(1) 4× 2.159(3) 2× 2.275(4) 1×
-W Mn <sub>2</sub> AlB <sub>2</sub> Mn-B -B -Al -Mn -Mn -Mn -Mn -Fe <sub>2</sub> AlB <sub>2</sub> Fe-B -B -Al -Fe -Fe -Fe -Fe -Fe	2.929(3) 2.944(1) 2× 2.164(1) 4× 2.188(3) 2× 2.6038(4) 4× 2.741(1) 2× 2.8932(5) 2× 2.9180(4) 2× 3.1990(4) 2.150(1) 4× 2.159(3) 2× 2.5983(4) 4× 2.715(1) 2× 2.8563(5) 2× 2.9217(4) 2× 3.2111(3)	-Al Al-B -Mn -Al -Al Al-B -Fe -Al -Al	2.636(3) 4×  2.277(4) 2× 2.604(1) 8× 2.8932(5) 2× 2.9180(4) 2×  2.275(4) 2× 2.5983(4) 8× 2.8563(5) 2× 2.9217(4) 2×	-Al B-B-B  B-B  -Mn  -Mn  -Al B-B-B  B-B  -Fe  -Fe  -Al B-B-B	2.280(9) 115.1(9) 1.749(4) 2× 2.164(1) 4× 2.188(3) 2× 2.277(4) 1× 113.1(4) 1.742(4) 2× 2.150(1) 4× 2.159(3) 2× 2.275(4) 1× 113.9(4)
-W Mn <sub>2</sub> AlB <sub>2</sub> Mn-B -B -Al -Mn -Mn -Mn Fe <sub>2</sub> AlB <sub>2</sub> Fe-B -B -Al -Fe -Fe -Fe -Fe MoB Mo-B	2.929(3) 2.944(1) 2× 2.164(1) 4× 2.188(3) 2× 2.6038(4) 4× 2.741(1) 2× 2.8932(5) 2× 2.9180(4) 2× 3.1990(4) 2.150(1) 4× 2.159(3) 2× 2.5983(4) 4× 2.715(1) 2× 2.8563(5) 2× 2.9217(4) 2× 3.2111(3) 2.313(2) 4×	-Al Al-B -Mn -Al -Al Al-B -Fe -Al -Al	2.636(3) 4×  2.277(4) 2× 2.604(1) 8× 2.8932(5) 2× 2.9180(4) 2×  2.275(4) 2× 2.5983(4) 8× 2.8563(5) 2× 2.9217(4) 2×  2.8285(6) 4×	-Al B-B-B  B-B  -Mn  -Mn  -Al B-B-B  B-B  -Fe  -Fe  -Al B-B-B	2.280(9) 115.1(9) 1.749(4) 2× 2.164(1) 4× 2.188(3) 2× 2.277(4) 1× 113.1(4) 1.742(4) 2× 2.150(1) 4× 2.159(3) 2× 2.275(4) 1× 113.9(4) 1.844(9) 2×
-W Mn <sub>2</sub> AlB <sub>2</sub> Mn-B -B -Al -Mn -Mn -Mn -Mn Fe <sub>2</sub> AlB <sub>2</sub> Fe-B -B -Al -Fe -Fe -Fe MoB Mo-B -B	2.929(3) 2.944(1) 2× 2.164(1) 4× 2.188(3) 2× 2.6038(4) 4× 2.741(1) 2× 2.8932(5) 2× 2.9180(4) 2× 3.1990(4) 2.150(1) 4× 2.159(3) 2× 2.5983(4) 4× 2.715(1) 2× 2.8563(5) 2× 2.9217(4) 2× 3.2111(3) 2.313(2) 4× 2.347(6) 2×	-Al Al-B -Mn -Al -Al Al-B -Fe -Al -Al	2.636(3) 4×  2.277(4) 2× 2.604(1) 8× 2.8932(5) 2× 2.9180(4) 2×  2.275(4) 2× 2.5983(4) 8× 2.8563(5) 2× 2.9217(4) 2×  2.8285(6) 4× 2.9058(8) 2×	-Al B-B-B  B-B  -Mn  -Mn  -Al B-B-B  B-B  -Fe  -Fe  -Al B-B-B  B-B  B-B  B-B  B-B	2.280(9) 115.1(9) 1.749(4) 2× 2.164(1) 4× 2.188(3) 2× 2.277(4) 1× 113.1(4) 1.742(4) 2× 2.150(1) 4× 2.159(3) 2× 2.275(4) 1× 113.9(4) 1.844(9) 2× 2.313(2) 4×
-W Mn <sub>2</sub> AlB <sub>2</sub> Mn-B -B -Al -Mn -Mn -Mn Fe <sub>2</sub> AlB <sub>2</sub> Fe-B -B -Al -Fe -Fe -Fe -Fe MoB Mo-B	2.929(3) 2.944(1) 2× 2.164(1) 4× 2.188(3) 2× 2.6038(4) 4× 2.741(1) 2× 2.8932(5) 2× 2.9180(4) 2× 3.1990(4) 2.150(1) 4× 2.159(3) 2× 2.5983(4) 4× 2.715(1) 2× 2.8563(5) 2× 2.9217(4) 2× 3.2111(3) 2.313(2) 4×	-Al Al-B -Mn -Al -Al Al-B -Fe -Al -Al	2.636(3) 4×  2.277(4) 2× 2.604(1) 8× 2.8932(5) 2× 2.9180(4) 2×  2.275(4) 2× 2.5983(4) 8× 2.8563(5) 2× 2.9217(4) 2×  2.8285(6) 4×	-Al B-B-B  B-B  -Mn  -Mn  -Al B-B-B  B-B  -Fe  -Fe  -Al B-B-B	2.280(9) 115.1(9) 1.749(4) 2× 2.164(1) 4× 2.188(3) 2× 2.277(4) 1× 113.1(4) 1.742(4) 2× 2.150(1) 4× 2.159(3) 2× 2.275(4) 1× 113.9(4)

Table 4. EDX Measurements on MAB-Phases

			wt %			at. %		
compd composition		TM	Al	В	TM	Al	В	standards
Cr <sub>2</sub> AlB <sub>2</sub>	theor	68.15	17.68	14.17	40.0	20.0	40.0	
$Cr_{2.00}Al_{1.02}B_{1.99}$	expt	68.0(4)	17.9(4)	14.0(4)	39.7(2)	20.3(5)	40(1)	$Cr_7Al_{45}$ ext, $Cr_3B_4$ ext
Cr <sub>3</sub> AlB <sub>4</sub>	theor	68.96	11.93	19.11	37.5	12.5	50.0	
$Cr_{2.83}Al_{0.98}B_{4.19}$	expt	67.2(4)	12.1(2)	20.7(4)	35.4(2)	12.3(2)	52(1)	$Cr_7Al_{45}$ ext, $Cr_3B_4$ ext
Cr₄AlB <sub>6</sub>	theor	68.96	11.93	19.11	45.4	9.1	54.5	
$Cr_{2.83}Al_{0.98}B_{4.19}$	expt	67.2(4)	12.1(2)	20.7(4)	67.2(4)	12.1(2)	20.7(4)	$Cr_7Al_{45}$ ext, $Cr_3B_4$ ext
MoAlB	theor	71.74	20.07	8.08	33.3	33.3	33.3	
$Mo_{1.10}Al_{0.84}B_{1.06}$	expt	72.4(6)	16.8(2)	10.8(7)	36.6(3)	28.1(3)	35(2)	Mo int, $Al_2O_3$ int, $Cr_3B_4$ ext
WAlB	theor	82.95	12.17	4.88	33.3	33.3	33.3	
$W_{1.03}Al_{1.02}B_{0.95}$	expt	83.4(5)	12.1(1)	4.5(5)	34.4(2)	34.0(3)	32(3)	$Cr_2\mathbf{B}_3$ ext, $\mathbf{Al}_2O_3$ int, $\mathbf{W}$ int
$Mn_2AlB_2$	theor	69.33	17.02	13.64	40.0	20.0	40.0	
$Mn_{2.03}Al_{0.97}B_{2.01}$	expt	70.0(9)	16.4(4)	13.6(8)	40.5(5)	19.4(5)	40(2)	$Cr_2\mathbf{B}_3$ ext, $\mathbf{Al}_2O_3$ int, $\mathbf{Mn}$ int
$Fe_2AlB_2$	theor	69.68	16.83	13.49	40.0	20.0	40.0	
$\mathrm{Fe_{2.10}Al_{0.97}B_{1.93}}$	expt	71.5(6)	15.9(5)	12.7(9)	42.1(4)	19.4(6)	39(3)	$Cr_2\mathbf{B}_3$ ext, $\mathbf{Al}_2O_3$ int, $\mathbf{Fe}$ int

Table 5. Refined Lattice Parameters of MAB-Phases from Powder-XRD with Values in  $\mathring{\mathbf{A}}^a$ 

	this v	VOIK			
compd	single crystal	powder	reference	reference	reference
Cr <sub>2</sub> AlB <sub>2</sub>			ref 25	ref 31	
а	2.9373(3)	2.939(1)	2.937	2.949(6)	
b	11.051(1)	11.054(3)	11.07	11.10(1)	
с	2.9675(3)	2.968(1)	2.971	2.948(5)	
V	96.33	96.43(7)	96.59	96.53(1)	
Cr <sub>3</sub> AlB <sub>4</sub>			ref 25		
а	2.9556(4)	2.9506(7)	2.989		
ь	2.9778(5)	2.9851(7)	2.952		
c	8.054(1)	8.083(2)	8.091		
V	70.88	71.21(3)	71.39		
Cr <sub>4</sub> AlB <sub>6</sub>					
а	2.9517(5)	2.9432(9)			
Ь	21.280(3)	21.225(9)			
c	3.0130(3)	3.003(1)			
V	189.26	187.6(2)			
$Fe_2AlB_2$			ref 27a	ref 27b	ref 30
а	2.9217(4)	2.9263(5)	2.923(1)	2.923(2)	2.9311(2)
b	10.999(2)	11.036(2)	11.034(1)	11.046(5)	11.0376(3
c	2.8563(5)	2.8667(5)	2.8703(3)	2.875(2)	2.8783(2)
V	91.79	92.58(2)	92.58	92.83	93.119(2)
$Mn_2AlB_2$			ref 26	ref 31	
а	2.9180(4)	2.9259(8)	2.92	2.936(5)	
b	11.038(2)	11.080(4)	11.08	11.12(1)	
c	2.8932(5)	2.9016(9)	2.89	2.912(8)	
V	93.19	94.07(7)	93.50	95.06(1)	
MoAlB			ref 24	ref 55	
а	3.1987(4)	3.2112(3)	3.212(2)	3.2085(3)	
ь	13.922(1)	13.977(1)	13.985(4)	13.980(1)	
c	3.0937(3)	3.1024(3)	3.102(1)	3.1002(3)	
V	137.77	139.24(3)	139.34	139.06	
WAlB			ref 38		
a	3.2065(9)	3.202(2)	3.205(1)		
Ь	13.919(3)	13.925(5)	13.947(2)		
с	3.1051(8)	3.096(4)	3.108(1)		
V	138.59	138.0(3)	138.9(1)		

 $<sup>^</sup>a\mathrm{For}$  experimental and calculated diagrams see Supporting Information Figures S1–S7.

parameters and reflection conditions were characteristic for the structure types  $MoAlB_{2}^{24}$   $Mn_{2}AlB_{2}^{26}$  (revised space group<sup>39</sup>) and  $Cr_{3}AlB_{4}^{25}$  Therefore, the corresponding space groups and structural

parameters were used as a model for starting the refinements. Quick convergence confirmed its correctness. The refinement of the site occupation factors revealed no significant deviations from a stoichio-

metric composition. The excellent *R*-values indicate the high quality of the crystals. For  $\text{Cr}_4\text{AlB}_6$  the size of the lattice parameters and the reflection conditions (h+k=2n) indicated a new phase. According to the knowledge on binary borides the first assumption was a compound  $\text{Cr}_5\text{B}_6$  with a  $\text{V}_5\text{B}_6$ -type structure (*Cmmm, a* = 2.97 Å, b = 21.24 Å, c = 3.06 Å). The refinement of the corresponding structure model showed some significant deviations (one B atom on a different site, one Cr-atom with "reduced" electron density). Therefore, the composition  $\text{Cr}_4\text{AlB}_6$  was assumed and confirmed by a successful refinement. All site occupation factors were checked for mixed or partial occupations, but no significant deviations were found.

Structure solution and refinements were done using the program package SHELXL. <sup>41</sup> Further details of all refinements are listed in Table 1–3. Details of the structure refinement (complete list of distances and angles,  $I/\sigma(I)$ -list) may be obtained from Fachinformationszentrum Karlsruhe, D-76344 Eggenstein-Leopoldshafen (Germany) (fax, +49)724-808-666; e-mail, crysdata@fiz-karlsruhe.de) on quoting the registry numbers CSD-427198 (Cr<sub>2</sub>AlB<sub>2</sub>), 427199 (Cr<sub>3</sub>AlB<sub>4</sub>), 427200 (Cr<sub>4</sub>AlB<sub>6</sub>), 427203 (MoAlB), 427204 (WAlB), 427201 (Mn<sub>2</sub>AlB<sub>2</sub>), 427202 (Fe<sub>2</sub>AlB<sub>2</sub>), and 427755 ( $\alpha$ -MoB).

**SEM/EDX.** High reaction temperatures and high reactivity of the melt can lead to unexpected contaminations (crucible, metallic melt, starting material). Therefore, all single crystals were additionally analyzed by energy dispersive X-ray spectroscopy (EDX). In each case only the expected elements were detected in agreement with the X-ray results. SEM pictures of the single crystals are shown in Figure 2. For EDX measurements well-grown single crystals of  $Cr_2AlB_2$ ,  $Cr_3AlB_4$ ,  $Cr_4AlB_6$ , and WAlB were cleaned by rinsing with water, ethanol, and toluene and measured without further surface modifications, while for MoAlB,  $Mn_2AlB_2$ , and  $Fe_2AlB_2$  EDX measurements showed an enhanced oxygen content on the crystal surfaces or the surfaces were not smooth enough for reliable quantitative element determinations. Therefore, these samples were embedded in epoxy resin and polished to obtain clean smooth surfaces.

EDX measurements were done with a LEO 1525 scanning electron microscope and an Oxford/Link EDX device with X-Max SDD-Detector at the Institut für Kristallographie (University of Freiburg). A low acceleration voltage of 10 kV was used to enhance the precision of the boron determination near the heavier elements. For each sample 5–12 point measurements (60 s) were carried out, and the results merged.  $Cr_3B_4$  and  $Cr_2B_3$  single crystals were used as external standards for boron and chromium, and  $Cr_7Al_{45}$  crystals were used as Al standard in the case of  $Cr_2AlB_2$ ,  $Cr_3AlB_4$ , and  $Cr_4AlB_6$ . Internal standards were used for all other elements. Data processing and corrections were done using the Oxford/Link INCA software (Version 4.15). The following lines were used: K-line, B, Al, Mn, and Fe; L-line, Cr, Mo; M-line, W. The results fit well to the experiences from other analyses of light elements.

Table 4 shows the results of the EDX measurements. The quantitative determination of boron besides the heavy elements Mo and especially W requires careful standardization. Excellent values are found for  $\rm Cr_2AlB_2$ , WAlB, and  $\rm Mn_2AlB_2$ , and good agreement for  $\rm Cr_3AlB_4$  and  $\rm Fe_2AlB_2$ . Larger deviations (excess of Mo, deficit of Al) are found for MoAlB. This difference proceeded although several crystals were measured and different techniques used for preparation and calibration. The results of the refinement give no hints for the observed deviation so the reason remains unclear.

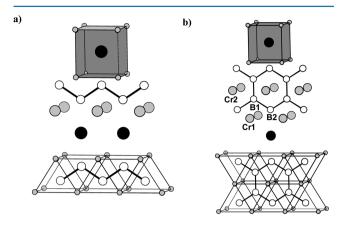
**Powder XRD.** All samples were characterized by powder XRD. Experimental and calculated patterns are shown in the Supporting Information Figures S1–S7. Patterns were recorded with a STOE Stadi P (Cu K $\alpha$ 1 radiation, Ge monochromator, image plate detector, Debye–Scherrer geometry, transmission).

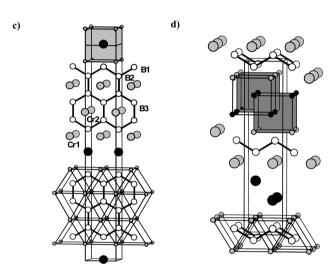
Refined lattice parameters are listed in Table 5.

**Microhardness.** Microindentation hardness testing was performed using a microhardness equipment MHT 10 (producer: A. Paar, Austria). A force of 1 N was generated within 10 s and applied for 15 s. The square pyramid imprints of the Vickers indenter were evaluated and converted into a microindentation hardness value  $H_{\rm V}$  according to the usual procedures. <sup>45</sup>

#### RESULTS

 $\mathsf{Cr_2AlB_2}$ . The crystal structure of  $\mathsf{Cr_2AlB_2}$  (Figure 3a) belongs to the  $\mathsf{Mn_2AlB_2}$ -type,  $^{26}$  which was first described in space group





**Figure 3.** Crystal structures of (a)  $Cr_2AlB_2$  (view along [001]), (b)  $Cr_3AlB_4$  (view along [001]), (c)  $Cr_4AlB_6$  (view along [001]), (d) MoAlB view along [100]): white, B; black, Al; gray, Cr/Mo.

C222, but later corrected to Cmmm. 39 This confirms the data of Chaban and Kuz'ma. <sup>25b</sup> In Cr<sub>2</sub>AlB<sub>2</sub> the B atoms show the typical trigonal-prismatic coordination with very similar B-Cr-distances of 2.188 Å (2×) and 2.201 Å (4×). The prisms are connected by rectangular faces common to linear rods. According to the short distances of the prism centers there are B-B distances of 1.762 Å forming a zigzag chain (B-B-B: 113°). This value corresponds to a usual single bond (covalent radius  $r_B = 0.88 \text{ Å}$ ) and is significantly longer than that given by Chaban and Kuz'ma (1.612 Å). The zigzag chains are linked to layers by the triangles of the prisms. The third rectangular side is capped by Al (B–Al: 2.276 Å), thus linking the layers to a three-dimensional structure. The resulting coordination of Al corresponds to the pattern of a bcc packing (CsCl-type) with 8 Cr (2.644 Å), 2 B (2.276 Å), and 4 Al (2.937-2.968 Å). A similar array is found for the HT-forms of the alloys  $\text{Cr}_{0.67}\text{Al}_{0.33}$  and  $\text{Cr}_{0.78}\text{Al}_{0.22}$ . Also, LT-AlCr<sub>2</sub>  $(\text{MoSi}_2\text{-type})^{47}$  and  $\text{Al}_8\text{Cr}_5$   $(\gamma\text{-brass})^{48}$  show a similarity to bcc. The surrounding of Cr reflects the arrangement of the metal 4<sup>4</sup>nets (see below). Four longer distances (2.937-2.968 Å), which correspond to the pseudotetragonal lattice parameters a and c, constitute the 4<sup>4</sup>-net. Two shorter distances (2.712 Å) result

from the next net within the boride part and additionally four Alatoms (2.644 Å) from the net of Al-atoms. The coordination is completed by six B atoms. The AlCr<sub>8</sub>-cubes of the bcc-packing are elongated in the b-direction (10%) that enlarges the Cr—Cr distance to 3.246 Å. All distances are comparable to other well-known binary compounds and show no peculiarities.

**Cr<sub>3</sub>AlB<sub>4</sub>.** Cr<sub>3</sub>AlB<sub>4</sub> was already described in 1972 by Kuz'ma et al.<sup>25</sup> The crystal structure (Figure 3b) was derived from powder data, crystal chemical considerations, and a trial-and-error refinement. This model was confirmed and rendered more precisely by the present investigations (for example, B–B distances were given as 1.707–1.715 Å in ref 25).

All B atoms form trigonal prisms BCr<sub>6</sub>. The rectangular faces are capped by three B atoms (B1) or two boron and one Al atom (B2). Al and one of the two independent Cr atoms show the same features as those in Cr<sub>2</sub>AlB<sub>2</sub>. The hexagonal prismatic coordination of the second Cr atom (Cr2) shows the relation to the hexagonal CrB<sub>2</sub> (AlB<sub>2</sub>-type). This can be easily explained by combination of two of the zigzag chains like those in Cr<sub>2</sub>AlB<sub>2</sub> to a linear chain of B<sub>6</sub> hexagons as found in Cr<sub>3</sub>B<sub>4</sub>. Now the "central" atoms B1 and Cr2 in Cr<sub>3</sub>AlB<sub>4</sub> represent a cut-out of the AlB<sub>2</sub>-type with layers of planar boron hexagons and hexagonal prismatic coordination of the metal atoms. The deviations are very small. The B-B distances are between 1.735 and 1.738 Å; the B-B-B angles are between 116 and 122°. The distances Cr1-B are between 2.270 and 2.322 Å. According to the structural features, B-B and Cr-B distances are similar to those in CrB<sub>2</sub> with 1.721 Å (B–B) and 2.320 Å (Cr–B).<sup>47</sup> The distances Cr2–B are significantly shorter (2.144/2.190 Å) but comparable to those in Cr<sub>2</sub>AlB<sub>2</sub>.

Al is located between the layers of the Cr/B partial structure. The bcc-analogous arrangement known from Cr<sub>2</sub>AlB<sub>2</sub> is continued with only small changes (Al–B slightly shorter, Al–Al and Al–Cr distances longer). The elongation in direction of the layer stacking is confirmed.

Cr<sub>4</sub>AlB<sub>6</sub>. The structure of Cr<sub>4</sub>AlB<sub>6</sub> (Figure 3c) represents a new structure type. It continues perfectly the transition from Cr<sub>2</sub>AlB<sub>2</sub> via Cr<sub>3</sub>AlB<sub>4</sub> to CrB<sub>2</sub> by insertion of additional zigzag chains of boron atoms in a trigonal-prismatic surrounding of Cr. In comparison to Cr<sub>3</sub>AlB<sub>4</sub> a third zigzag chain amends the chain of hexagons to a double chain. Therefore, two of the three B atoms perform three B–B-bonds (1.707–1.738 Å). The central B–B–B angles (119.6–120.2°) are very close to the ideal values of 120°, while the deviations in the peripheral domain are more significant (116.2–121.9°). The same takes place for the Cr–B distances that change from 2.146 (Cr1–B1) to 2.329 Å (Cr2–B1). Even the tendencies for the Al-coordination are continued, including the elongation.

Systematic Tendencies in CrAl(CrB<sub>2</sub>)<sub>n</sub> and Relation to the Binary Borides CrB, Cr<sub>3</sub>B<sub>4</sub>, Cr<sub>2</sub>B<sub>3</sub>, and CrB<sub>2</sub>. The compounds  $CrAl(CrB_2)_n$  are simple ternary variants of the binary borides in relation to the motifs of the boron subunits. They show the same structural units as they are realized in CrB (zigzag chain),  $Cr_3B_4$  (chain of hexagons), and  $Cr_2B_3$  (double chain of hexagons), respectively. A comparison of the structural features in  $CrAl(CrB_2)_n$  (distances B–B and B–Cr, B–B–B angles) to the very precise data of Okada et al. Teveals the validity even for small details (B–B, Cr–B, and Cr–Cr distances, B–B–B angles).

The characterization of the first three members of the series  $CrAl(CrB_2)_n$  allows us to estimate systematic variations of structural parameters. The longest B–B distances are observed for  $Cr_2AlB_2$ . The increase of the boron content shortens the

distances in the central part, but in the peripheral part the longer distances are retained. As indicated by the B–B–B angles the reason is a shift of the outer B atom toward the Al. The B–Cr distances behave in the opposite way. The shortest ones are observed for  $Cr_2AlB_2$  and the peripheral part (2.16-2.18~Å), the longest in the central part (2.27-2.33~Å). Both tendencies are observed in the same way for the binary borides  $(CrB, B-B 1.780~\text{Å}, Cr-B 2.186-2.220~\text{Å}; CrB_2, B-B 1.721~\text{Å}, Cr-B 2.320~\text{Å}; Cr_3B_4~\text{and} Cr_2B_3~\text{are}$  in between and similar to  $Cr_3AlB_4~\text{and} Cr_4AlB_6$ ). The systematic variations extend to the Al atoms, too. With increasing boron content the distances Al–B are shortened while Al–Al and Al–Cr get longer. For the binary borides these relations are found for the capping Cr atom  $(CrB, 2.666~\text{Å}; Cr_3B_4, 2.680~\text{Å}; Cr_2B_3, 2.699~\text{Å})$ . The elongation of the bcc part is present in all compounds.

A first qualitative description of a homologous series  $(CrB_2)_n(CrAl)_m$  was done by Jung et al.,<sup>28</sup> Jeitschko,<sup>24,50</sup> and Rogl.<sup>51</sup> The quantitative description is quite simple because of the close relation to the binary borides. Furthermore, the estimations of lattice parameters and interatomic distances can now be deduced from the series  $Cr_2AlB_2$  (n = 1, m = 1),  $Cr_3AlB_4$ (n = 2, m = 1), and  $Cr_4AlB_6$  (n = 3, m = 1). According to the symmetry of the boride partial structure there are two space group types. With *n* as an even number, the space group is *Pmmm* while an odd number of *n* leads to space group *Cmmm*. The short lattice parameters, i.e., the metrics of the layers of BCr<sub>6</sub> prisms, show a systematic increase according to the increasing boron content. The long lattice parameter can be estimated from the incremental increase for each additional boron unit. Therefore, lattice parameters, space groups, and coordinates of the atoms can be derived completely from the systematic variations. Details are given for the members n = 5,  $Cr_5AlB_8$ , and n = 6,  $Cr_6AlB_{10}$ .

**MoAlB/WAIB.** MoAlB was first described in 1942 by Halla and Thury<sup>53</sup> and characterized by X-ray methods and chemical analyses. They gave the composition Mo<sub>7</sub>Al<sub>6</sub>B<sub>7</sub>, but the published diffraction pattern was identical to the data found later on. In 1966 Jeitschko communicated single crystal growth and structure refinement of MoAlB<sup>24</sup> using intensities of Weissenberg photographs and a trial-and-error refinement. The position of boron was deduced from the Mo positions assuming identical Mo–B distances. Jeitschko described the structure of MoAlB (Figure 3d) as a combination of a binary boride and an intermetallic compound. Similar to the structure of Cr<sub>2</sub>AlB<sub>2</sub> the trigonal prisms BMo<sub>6</sub> are linked by two common rectangular planes to rods as it is also found in orthorhombic MoB<sup>54</sup> (α-MoB, CrB-type<sup>35</sup>). The intermetallic part represents a cut-out of bcc packing.

In 1995 Yu and Lundström presented crystal growth and structure refinement of a solid solution  $\mathrm{Mo}_{1-x}\mathrm{Cr}_x\mathrm{AlB}$  (x=0.31). Their results show that the Mo/Cr substitution keeps all structural features of MoAlB unchanged except the differences resulting from the metal atom's size. Okada el al. Reported on synthesis, single crystal growth, and hardness measurements on WAlB and solid solutions  $\mathrm{Mo}_{1-x}\mathrm{W}_x\mathrm{AlB}$ , but no detailed structural parameters were given.

Recently, Albert et al. pointed out for the binary borides  $MoB_2$  and  $WB_2^{\ 20}$  that the localization of B atoms is a problem in the case of 4d and especially 5d metals. Therefore, we have refined the structures of MoAlB and WAlB. Our results for MoAlB confirm the findings of Jeitschko and Okada. In comparison to the chromium borides all distances are slightly enlarged according to the larger size of Mo. Some small changes are observed for the intermetallic part. In contrast to the borides of

3d metals with only one additional metal layer the bcc surrounding of Al is slightly compressed. Similar observations are made for Ru<sub>3</sub>Al<sub>2</sub>B<sub>2</sub>. So The free refinement of the boron site results in Mo–B distances of 2.346 and 2.356 Å, a B–B distance of 1.810 Å, and a B–B–B angle within the zigzag chain of 117°.

The distances in WAlB are very similar to those of MoAlB. As already mentioned the localization of a light atom like boron besides a 5d metal is a problem. In the case of our data for WAlB the values for the displacement parameters of boron are in line with the expected values. This stands for a complete occupation and correct localization of the boron site. The B–B distance of 1.84 Å and a B–B–B angle within the zigzag chain of 115° are comparable to the value for tetragonal WB (1.883 Å, 111.1°) which were obtained from neutron data.  $^{\rm 57}$ 

Mn<sub>2</sub>AlB<sub>2</sub>/Fe<sub>2</sub>AlB<sub>2</sub>. The results for the refinements of Mn<sub>2</sub>AlB<sub>2</sub> and Fe<sub>2</sub>AlB<sub>2</sub> showed no peculiarities. Because of the slightly smaller size of Mn and Fe compared to that of Cr, the lattice parameters and distances are shortened. The elongation of the bcc part in direction [010] is confirmed. The results for Fe<sub>2</sub>AlB<sub>2</sub> are in excellent agreement with the previous data given by Jeitschko.<sup>27b</sup> while there are significant differences to the data of Kuz'ma and Chaban.<sup>27a</sup> For Mn<sub>2</sub>AlB<sub>2</sub> the earlier data<sup>26</sup> (B–B: 1.72 Å) fit quite well to our results.

**Microhardness.** Table 6 shows the microhardness values determined from single crystals in different orientations. Values

Table 6. Hardness Values and Vickers Hardness  $H_V$  (in GPa) of MAB-Phases and Selected Binary Borides from Single Crystals

compd	hardness (min)	$H_{ m V}$	hardness (max)	$H_{ m V}$	ref
Cr <sub>2</sub> AlB <sub>2</sub>	622	6.0	720	7.0	this work
$Mn_2AlB_2$	734	7.0	1015	9.6	this work
$Fe_2AlB_2$	1200	11.6	1530	14.7	this work
Cr <sub>3</sub> AlB <sub>4</sub>	1560	15.0	2000	19.1	this work
MoAlB	1160	11.4	1385	13.6	this work
				10.3	ref 38c
WAlB			2200	21.7	this work
				19.3	ref 38c
CrB		21.1-22.8			ref 59
$Cr_3B_4$		21.9			ref 59
$Cr_2B_3$		22.4			ref 59
$CrB_2$		19.3-22.6			ref 59
CrB <sub>4</sub>		26.1			ref 60
MnB	1816				ref 61
$MnB_2$	1240				ref 61
$MnB_4$		34.6		37.4	ref 62
FeB	1650				ref 63
FeB <sub>4</sub>		43		70	ref 64

were obtained from all compounds except  $Cr_4AlB_6$ . The microhardness for WAlB is based only on one measurement because of the small crystal size. The general tendency is the increase within the row of the 3d metals ( $Cr_2AlB_2 < Mn_2AlB_2 < Fe_2AlB_2$ ). Furthermore, there is a strong increase within the same group following the atomic weight ( $Cr_2AlB_2 < MoAlB < WAlB$ ) and with increasing boron content ( $Cr_2AlB_2 < Cr_3AlB_4$ ). The very high values for WAlB were already reported by Okada et al. They are characteristic for borides of 5d metals ( $TaB_2$ ,  $WB_4$ ,  $ReB_2$ ,  $OsB_2$ ) and result from the strong M-M, M-B, and B-B bonding combined with the strong electron–electron repulsion of the core electrons.

The variation of the microhardness is caused by the structural anisotropy. In general, the highest values are observed in the plane perpendicular to the zigzag chains, and the medium values are for the plane parallel to the intermetallic (or boride) partial structure. The lowest hardness is found for the plane perpendicular to the direction of the common trigonal faces of the  $BM_6$  prisms. A detailed discussion of the hardness anisotropy will follow.

Formation and Stability of "MAB-Phases". Because we prepared single crystals for EDX and performed microhardness measurements we got qualitative information on formation and stability of the corresponding MAB-phases. It is striking that the solidified melts of the system Cr/Al/B frequently contain single crystals of binary borides. This is in agreement to the findings of Okada et al.<sup>38</sup> who obtained well-developed single crystals of the binary borides under very similar conditions, but with higher cooling rates. Probably the binary borides crystallize first and are transformed at lower temperatures into the MAB-phases. This can explain the formation of Al-inclusions in single crystals of Cr<sub>3</sub>AlB<sub>4</sub>, MoAlB, and Mn<sub>2</sub>AlB<sub>2</sub>. It can also be the reason for the problems of a reliable synthesis of  $Cr_4AlB_6$ . With M = Mn or Fe no binary borides are formed by crystallization from Al. Additionally, inclusions of CrB were observed in single crystals of  $Cr_2AlB_2$ . For Mn/Al/B a solid solution  $Al_{1-x}Mn_xB_2$  is observed. Furthermore, the MAB-phases become more and more reactive against hydrochloric acid with M = Mn and Fe. On the other hand no MAB-phases of titanium and vanadium are known while binary borides of titanium<sup>65</sup> and vanadium<sup>66</sup> are easily obtained from liquid aluminum. Furthermore, MABphases are known for the 4d metals Mo and Ru, while W is the only 5d metal. So the window of stability seems to be quite small with a maximum for 3d metals and group 6 metals.

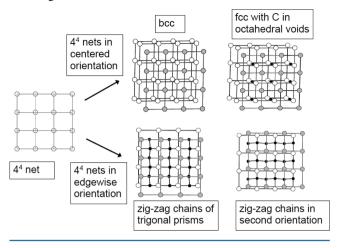
## DISCUSSION

Unified Building Block Principle for Binary and Ternary Metal Borides (MAB-Phases) on the Basis of Metal  $4^4$ -Nets. Recently, we published a general description of MAX-phases  $M_{n+1}AX_n$  on the basis of NaCl-fragments MX and additional intermetallic layers MA in between. According to the common features, layers of closest packed metal atoms are central and lead to hexagonal structures.

The systematics of ternary borides are obvious and were already discussed in a qualitative way by Jeitschko, <sup>24,50</sup> Jung, <sup>28</sup> and Rogl. <sup>51</sup> A unifying concept for the description of binary and ternary borides and boridecarbides including space groups, lattice parameters, and atomic sites is based on the stacking of 4<sup>4</sup>-nets of the metal atoms. This concept was developed for the description of niobium boridecarbides Nb<sub>x</sub>B<sub>y</sub>C<sub>z</sub>, <sup>67</sup> where the carbide part represents a cut-out of the rocksalt structure, i.e., an fcc packing of Nb and C in all octahedral voids. Now we extend it to the consideration of ternary borides based on 4<sup>4</sup> nets where the intermetallic part represents a bcc-like arrangement. Furthermore, we include the two different types of arrangements of the boride partial structure, i.e., parallel orientation leading to orthorhombic structures and alternating orthogonal orientation that results in tetragonal symmetry.

The fundamental building units can be reduced to two different types of stacking for a quadratic  $4^4$ -net of metal atoms (Scheme 1). The bcc-unit (ternary borides) and/or the CTM<sub>6</sub>-octahedra (boridecarbides) are yielded if the subsequent  $4^4$ -net is placed above/below the center of the square. In that way there results a cubic surrounding for the metal atoms of the central

Scheme 1. Generation of Carbide/bcc and Boride Units by Stacking of 4<sup>4</sup>-Nets



layer and an octahedral void for center of the square. The tetragonal symmetry is maintained.

Trigonal prisms BTM<sub>6</sub> are obtained by placing the adjacent net over the square's edge. The number of trigonal-prismatic voids is twice the number of nods of the net, i.e., the number of metal atoms in a layer. The symmetry of the layer (or more precisely the set of layers) is reduced from tetragonal to orthorhombic. With two metal layers and filled voids there results the composition  $M_2B_2$  and a zigzag chain of boron atoms, i.e., the motif of the monoboride CrB. Additional metal layers representing a fragment  $(MB_2)_n$  amend the zigzag chain to a chain of hexagons  $(M_3B_4)_n$  or double chain of hexagons  $(M_2B_3)$ .

Ideal values for the voids are obtained for special distances between subsequent 4<sup>4</sup> nets and a pseudotetragonal metric of the orthogonal unit cells. With  $\tau$  as the mesh size of the 4<sup>4</sup> net the idealized distances are  $\sqrt{3/2} \tau$  for the trigonal prisms,  $1/2 \tau$  for the octahedral voids (fcc), and  $\sqrt{2/2} \tau$  for the intermetallic bcc fragment.

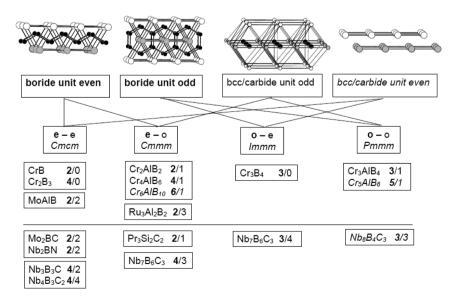
For the boride partial structure it is assumed for a start that always the same edges of the square, i.e., left/right or top/bottom, are capped by the subsequent 4<sup>4</sup>-net. Therefore, the zigzag chains or chains of hexagons run all into the same

direction. With a parallel arrangement of the boride motifs orthorhombic structures are obtained, because the tetragonal symmetry of the 4<sup>4</sup>-nets is broken by the trigonal prisms. Scheme 2 gives an overview of structures which can be combined in that way. According to the different numbers of metal layers in the trigonal-prismatic part (x) and the bcc part (y) the corresponding compositions are obtained. For y = 1, and x = 2, 3, or 4, the resulting compounds are Cr<sub>2</sub>AlB<sub>2</sub>, Cr<sub>3</sub>AlB<sub>4</sub>, and  $Cr_4AlB_6$ , respectively. The binary borides result for y = 0. The examples of MoAlB (x = 2, y = 2) and Ru<sub>3</sub>Al<sub>2</sub>B<sub>2</sub> (x = 2, y = 3, Ruin central bcc-layer) show that values of y > 1 are possible, too. Changing the distance of the 4<sup>4</sup> nets realizes the features of an fcc packing (see above) where octahedral voids can be occupied. Now the boridecarbides of niobium and molybdenum as well as Nb<sub>2</sub>BN<sup>68</sup> and Pr<sub>3</sub>Si<sub>2</sub>C<sub>2</sub> (disordered C<sub>2</sub>-units in octahedral voids)<sup>69</sup> fit also to this scheme.

This building block principle can also be used to predict the complete crystal structure of any representative. The lattice parameters can be estimated from an incremental system derived from the binary borides and intermetallics or metallic radii. The space group is only determined by the combination of x and y. It can be shown that a difference of  $\pm 2$  for x and y does not change the space group. Therefore, four cases (and space groups) can be distinguished, according to even or odd numbers for x and y. These space groups are Cmcm (x and y even), Cmmm (x even, y odd), and Cmmm (x and y odd). Finally, the atomic coordinates can be derived from the evaluation of the systematic variations (for example discussed for the series  $(CrB_2)_nCrAl$  with n=4 and 5).

For the examples in Scheme 1 the parallel arrangement of the boron subunits is assumed. This results in orthorhombic structures. However, for the monoborides CrB, MoB, and WB the existence of a second tetragonal phase is known. This structure can be derived from the orthorhombic structure by a 90°-rotation of the zigzag chain leading to a doubling of the lattice parameter and space group  $I4_1/amd$ . Using the description with  $4^4$ -nets it corresponds a capping the other side of the square. Furthermore, Jung and Petry described the tetragonal structure of Ru<sub>2</sub>ZnB<sub>2</sub> ( $I4_1/amd$ , a = 2.946 Å, c = 22.90 Å)<sup>28</sup> which shows the same feature. Therefore, we have extended the unified concept to structures with orthogonal boron subunits compiled

Scheme 2. Orthorhombic Representatives (Parallel Orientation of Boron Units), See Text



Scheme 3. Tetragonal Representatives (Orthogonal Orientation of Boron Units), See Text

β-Ru<sub>3</sub>Al<sub>2</sub>B<sub>2</sub> 2/3

in Scheme 3. It can be shown that two different tetragonal structures are obtained. For even numbers of x (for example,  $\beta$ -MoB, x=2, y=0; Ru<sub>2</sub>ZnB<sub>2</sub>, x=2, y=1), it always results in a structure with space group  $I4_1/amd$ . For odd numbers of x, the space group is  $P4_2/mmc$ , independent from y. Up to now there is no example for that case, but structure models can be set up for these ternary compounds, too. The lattice parameters may be derived from the known orthorhombic representatives. The tetragonal a-axis is the average of the two short axes of the orthorhombic unit cell; the tetragonal c-axis corresponds to the long axis (identical for  $P4_2/mmc$ , doubled for  $I4_1/amd$ ).

B-MoAIB 2/2

The homologous series with its generalized description requires special conditions for symmetry and metrics. In this case, where distinct layers are stacked in a 3D periodic crystal structure, the symmetry of the layer must fit to the corresponding plane of the space group. The symmetry of the layer is described by one of the 80 two-sided plane groups.<sup>72</sup>

According to Scheme 2 the four different types of layers are assigned to the two-sided layer groups. They are as follows: odd boride unit pmmm (p2/m2/m, No. 23), even boride unit pmma,  $(p2_1/m2/m2/a, No. 43)$ ; odd bcc/carbide unit p4/mmm(p4/m2/m2/m, No. 53), even bcc/carbide unit p4/mmm (p4/mmm)  $n2_1/m2/m$ , No. 63). The matching of space group and layer group is fulfilled in all cases and comprises two (Pmmm), four (Immm, Cmmm, Cmcm,  $P4_2/mmc$ ), or eight ( $I4_1/amd$ ) layers. A second condition refers to the metric of the layers. The stacking of different layers requires that all symmetry elements perpendicular to the layer can be combined. This is fulfilled because for all four layers the symmetry of the straight lines 00z,  $0^{1}/_{2}z$ ,  $^{1}/_{2}0z$ , and  $^{1}/_{2}^{1}/_{2}z$  (defining the unit vector of the  $4^{4}$ -net as unity in directions x and y and the stacking direction as z-axis) is mm2 or one of its super groups, so the metrics of all layers fit to each other. Finally, the transition between the layers must be structurally reasonable. In this case it means that the free rectangular faces of the trigonal prisms are centered by the next  $4^4$ -net. This generates an additional vector of  $\frac{1}{2}/20$ , which amends the translational components of the layers (if there are any) to those of the space group.

In principle, this building concept can be extended by consideration of dissimilar boride units (for example  $Nb_5B_6$  with zigzag chains and chains of hexagons),  $^{40}$  fragments of boron chains, or combinations of boride, carbide, and bcc units. The structures of  $Ru_8Zn_5B_8$  and  $Ru_9Al_5B_6^{\ 28}$  can be seen as a transition between the tetragonal variants and borides with chain fragments. The combination results in an orthogonal arrangement of  $B_4$ -fragments of the zigzag chains. Even the structure of  $Ni_{12}AlB_8^{\ 13}$  with pentamers and isolated boron atoms can be classified like this. A recent example is  $Ni_3ZnB_2^{\ 73}$  with a parallel

arrangement of  $B_4$  chain fragments separated by Zn layers. This can be seen as a link between borides with zigzag chains and borides with chain fragments. However, according to the symmetry reduction the description with  $4^4$ -nets is no longer possible.

β-Cr<sub>3</sub>AIB<sub>4</sub> 3/1

#### CONCLUSIONS

β-Cr<sub>3</sub>Al<sub>2</sub>B<sub>4</sub> 3/2

The crystal structure of Cr<sub>4</sub>AlB<sub>6</sub> showed that the systematics of binary borides with compositions between MB (B-B zigzag chains) and MB<sub>2</sub> (planar hexagonal nets of boron atoms) can be transferred to ternary representatives (MB)<sub>2</sub>Al(MB<sub>2</sub>)<sub>r</sub>. A generalized structure principle might be useful for the investigation of boride-based materials by electron microscopy. Small particles or interfaces of ceramics or composites can be investigated by HRTEM or electron diffraction. According to symmetry and lattice parameters a detailed structure model can be derived even for very small regions, and its properties can be estimated. Interesting material properties of ternary transition metal borides result from the extremely high thermal, chemical, and mechanical stability of the corresponding binary borides. Similar to the closely related ternary carbides (MAX-phases) the marked anisotropy of the structures, i.e., alternating layers of intermetallic and boride subunits, offers unique properties.

In comparison to that of the MAX-phases the number of MABphases is much smaller. The reason is that the variation of the transition metal and especially the main group metal "A" is much more restricted. Up to now MAB-phases are characterized only for A = Al, Zn (one example:  $Ru_2ZnB_2$ ), and Ru (one example: Ru<sub>3</sub>Al<sub>2</sub>B<sub>2</sub>, Ru also in bcc layers). Nevertheless, the structural diversity and complexity of MAB-phases is more distinctive than actually known for MAX-phases, because MAB-phases have more degrees of freedom. The carbide partial structure of MAXphases represents a (111)-cut-out of rock salt which is separated by one single "A"-layer. The thickness of the carbide part is the only variable. In contrast to this, MAB-phases have three variables, i.e., the thickness of the boride part, and the number of metal layers between the boride part and the orientation of the boron subunits. The latter results from the fact that the boron subunits are based on zigzag chains, which can be orientated in a parallel or an orthogonal way.

All three aspects of variability are considered in our generalized scheme for MAB-phases and related boridecarbides, which uses the combination of 4<sup>4</sup>-nets of M and A. The space group symmetry for each type can be derived directly from the number of layers in the two subunits. The boride part determines the crystal system. With a parallel alignment of zigzag chains there are four orthorhombic space groups; with an orthogonal orientation there are two tetragonal space groups. The

intermetallic part (or carbidic part for boridecarbides) is compatible with both crystal systems. Lattice parameters and coordinates of the atoms can be derived from the distances in binary or ternary references.

From liquid aluminum we have obtained single crystals for the series  $Cr_2AlB_2(CrB_2)_x$  (x = 0, 1, 2),  $M_2AlB_2$  (M = Cr, Mn, Fe), and MAlB (M = Mo, W). Detailed X-ray investigations revealed systematic interconnections between boron content (i.e., size of the boride partial structure) and transition metal (i.e., group number of the 3d metal and 3d/4d/5d metal). Deviations from expected values are usually caused by inadequate treatment of the X-ray data like intensity measurement or absorption correction. With an appropriate sample preparation and calibration all compositions were confirmed by quantitative electron microprobe analysis (EDX) including the boron content. Furthermore, the access to single crystals allowed the measurement of microhardness values. In general, the hardness of MAB-phases is higher than for the similar MAX-phases, but according to preliminary findings the structural anisotropy does not result in a corresponding anisotropy of the mechanical properties as was found for the MAX-phases.

## ASSOCIATED CONTENT

## S Supporting Information

Experimental and calculated powder XRD patterns, and additional SEM pictures. Crystallographic data in CIF format. The Supporting Information is available free of charge on the ACS Publications website at DOI: 10.1021/acs.inorg-chem.5b00049.

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#### Notes

The authors declare no competing financial interest.

## DEDICATION

Dedicated to Prof. Dr. G. Thiele.

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